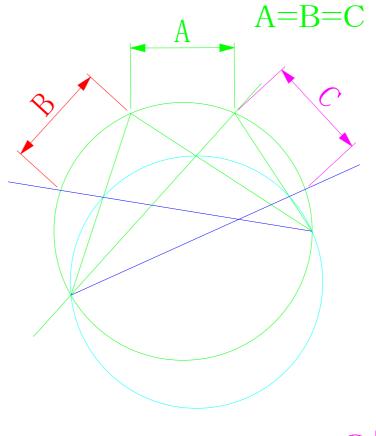
それも、それから点線円幾何学

蛭子井博孝編著

コンポジションの不思議



の順

卵形線研究センター発行

http://aitoyume.de-blog.jp/

それも、それから点線円幾何学

蛭子井博孝編著

愛と夢と希望と情熱と それから、幾何との出会い

感謝



(自画像 1950年生まれ)

それもそれから点線円幾何学

はじめに

僕は不思議な点線円幾何学。

君は、不思議な円。

二人合わせて、考える

等しいこともあるだろう。

平行線にもなるだろう。

愛があるなら、交わるよ。

三つの点でできあがる

三つの線でできあがる。

4つの点でできあがる一つの円があるだろう。

それもそうだね

それもそれから点線円

たくさんあるよ。

コンポジションができている。

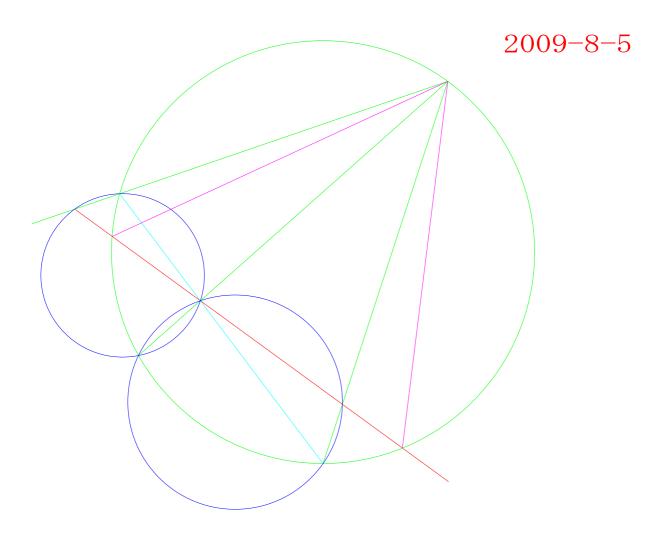
それもそれから始まるよ。

感謝で、一題受け止めて、

愛を味わう君と僕。

ありがとう。 蛭子井博孝記 2009-8-5

それも、それから 麦一是頁

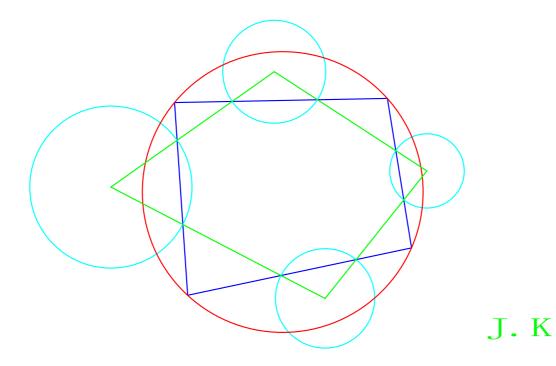


結論1:緑線と青円の交点は赤線上

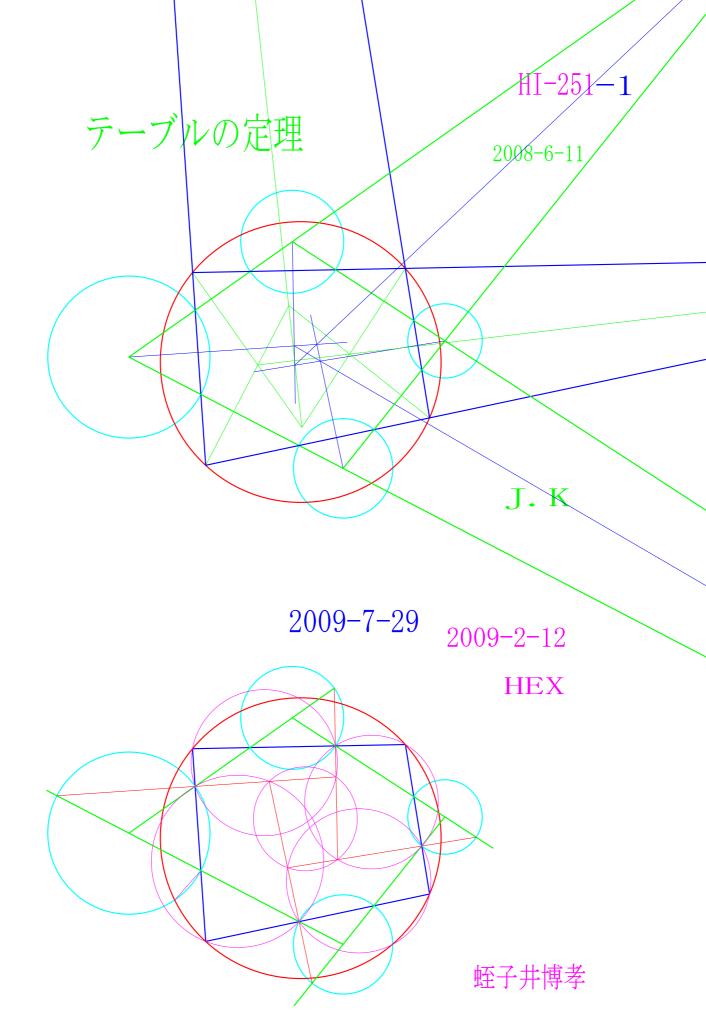
結論2:マゼンタ線は等しい

テーブルの定理

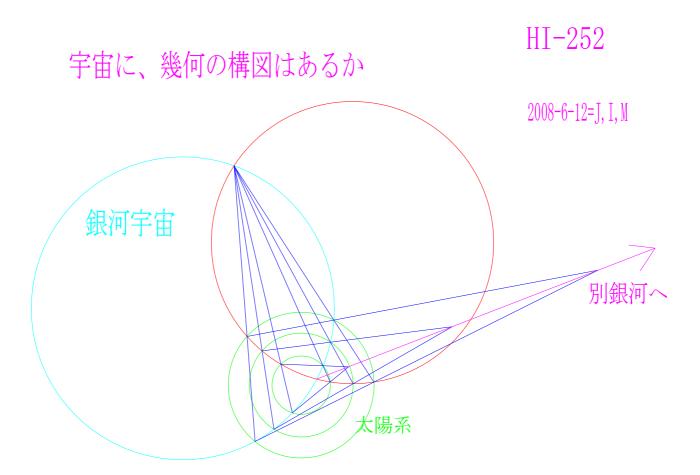
2008-6-11



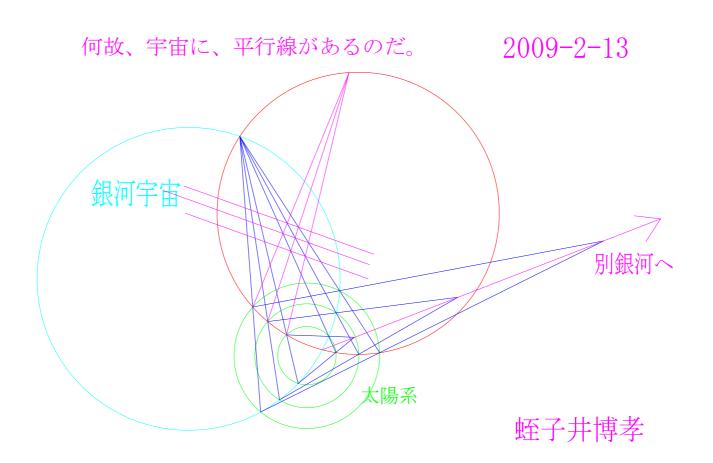
2009-2-12 HEX 蛭子井博孝



あきらめなかった。それで、恵みをいただいた。ありがとう。

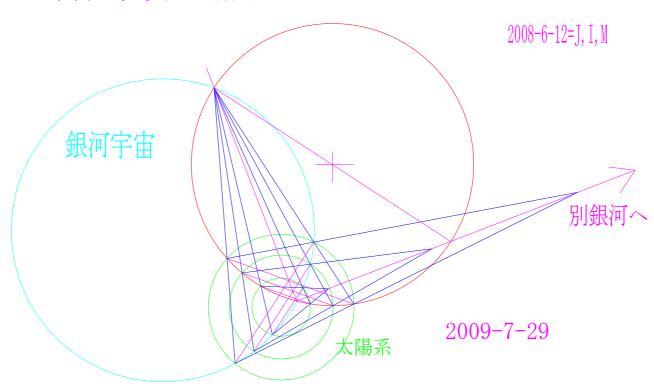


H. E

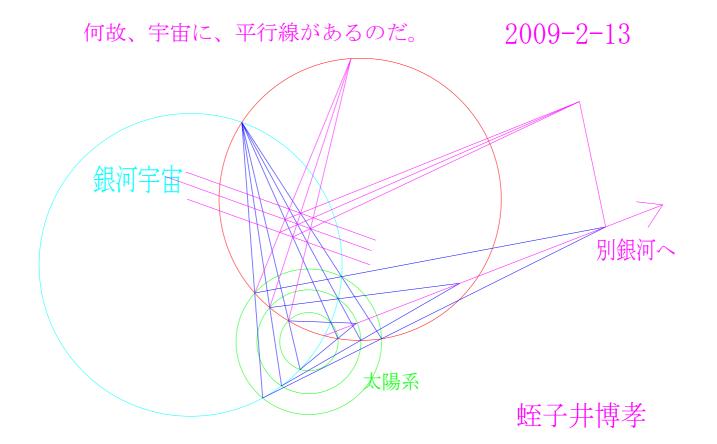


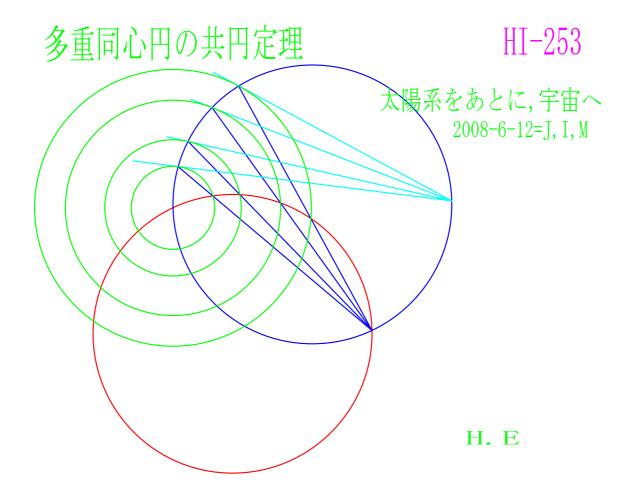
宇宙に、幾何の構図はあるか

HI - 252 - 1

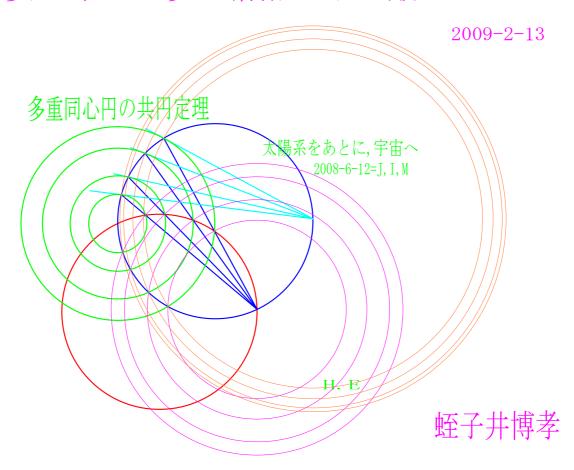


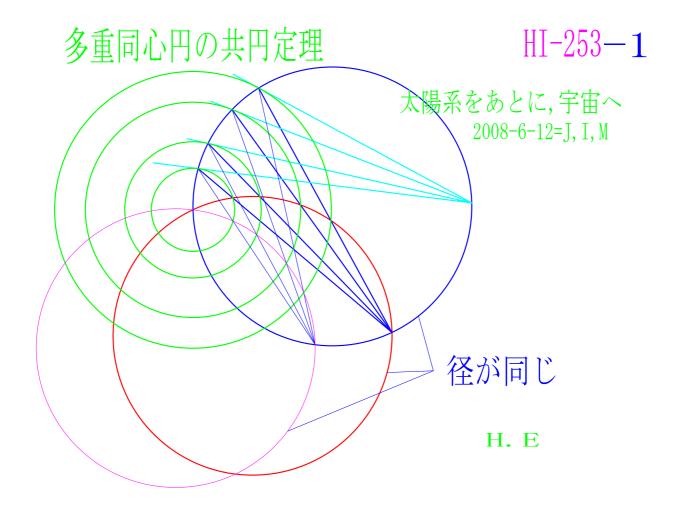
H. E





愛と希望と夢と情熱と不思議

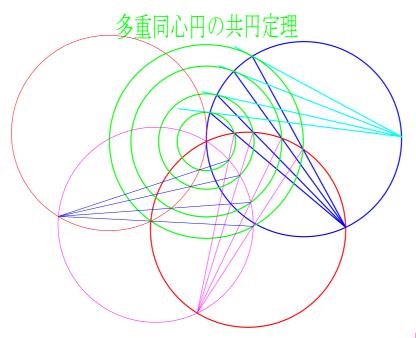


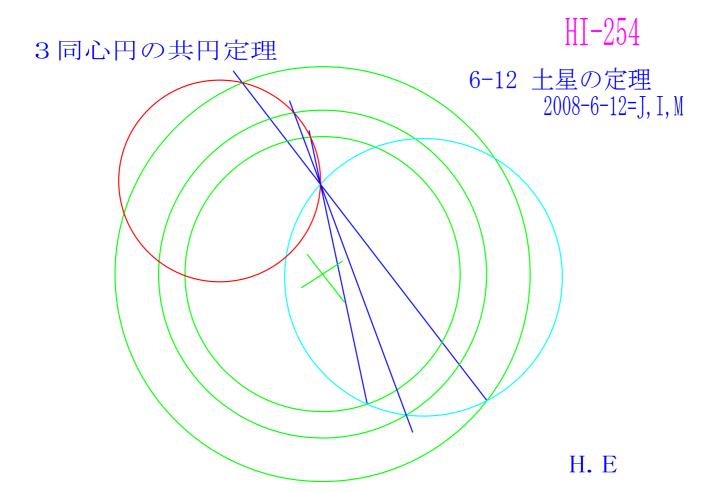


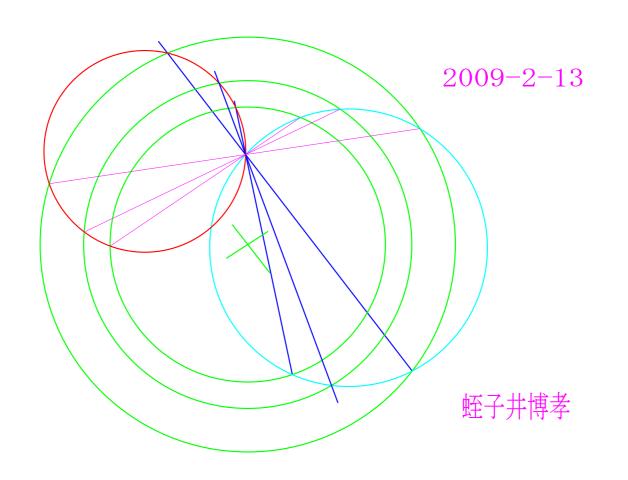
愛と希望と夢と情熱と不思議

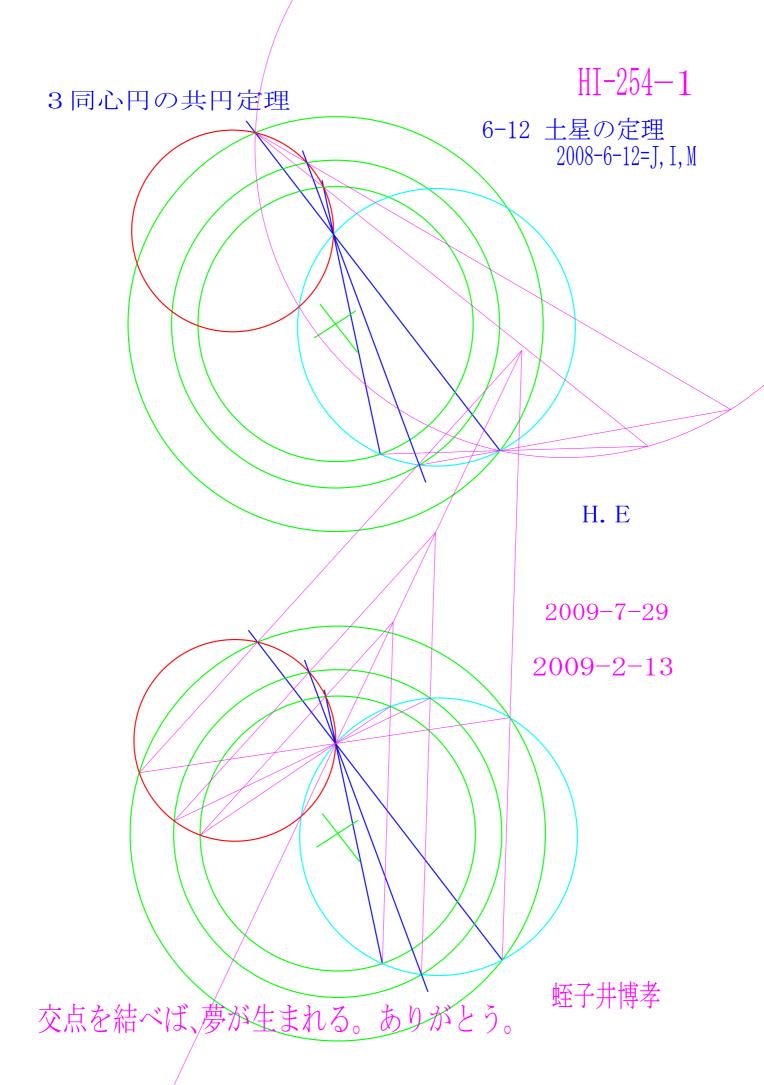
僕は、小さな円、でも、大きな円になりたい。

2009-2-13







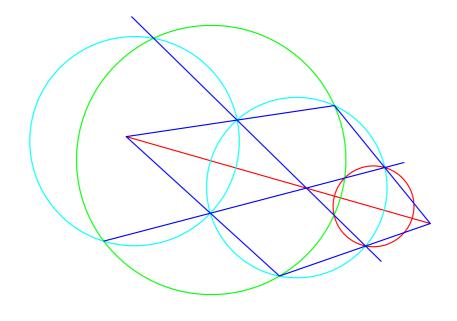


HI-255

木星に接近

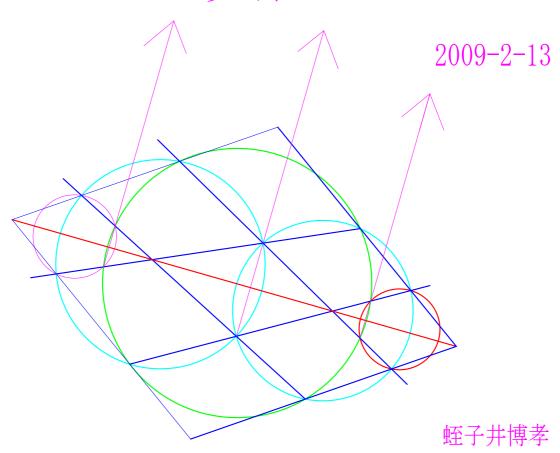
2008-6-12=J, I, M

共点定理



Н. Е

夢星雲へ

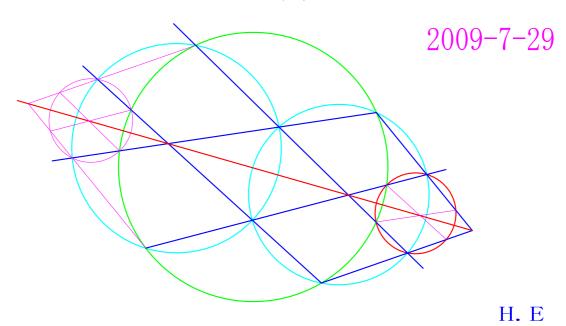


HI - 255 - 1

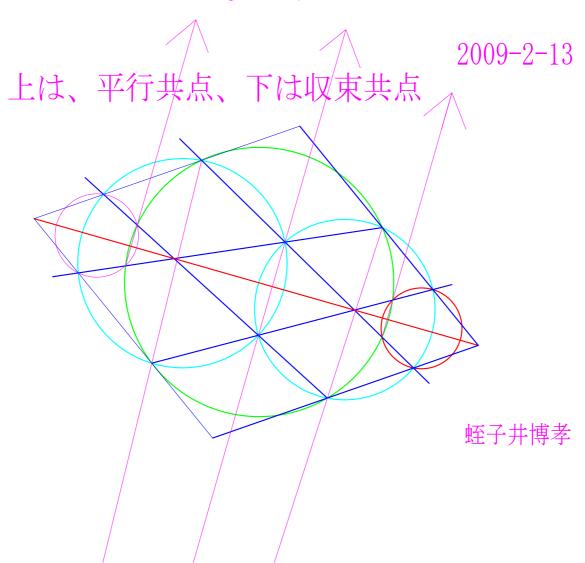
木星に接近

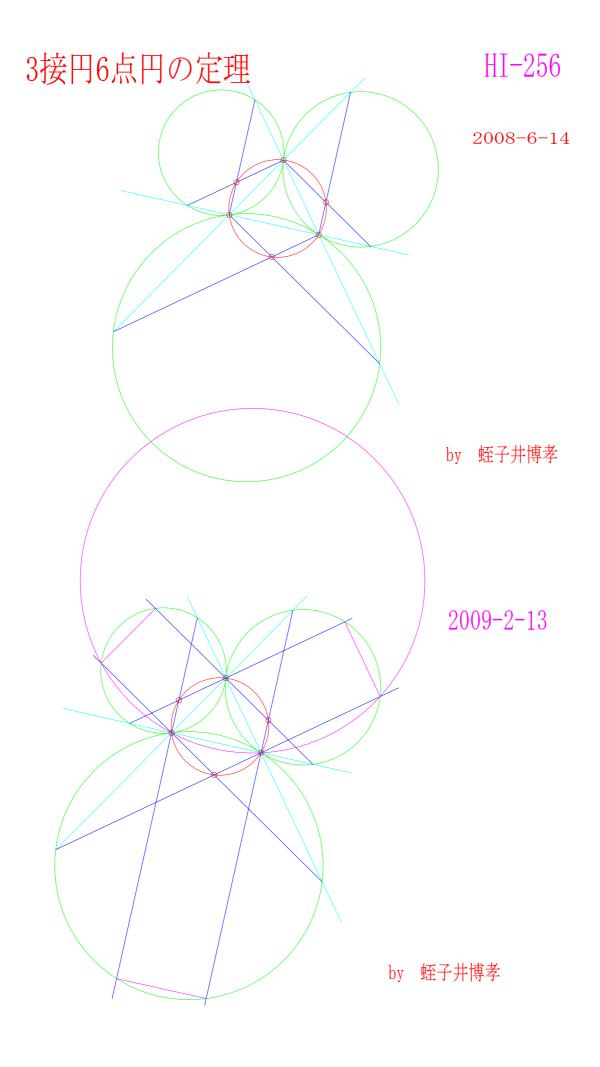
2008-6-12=J, I, M

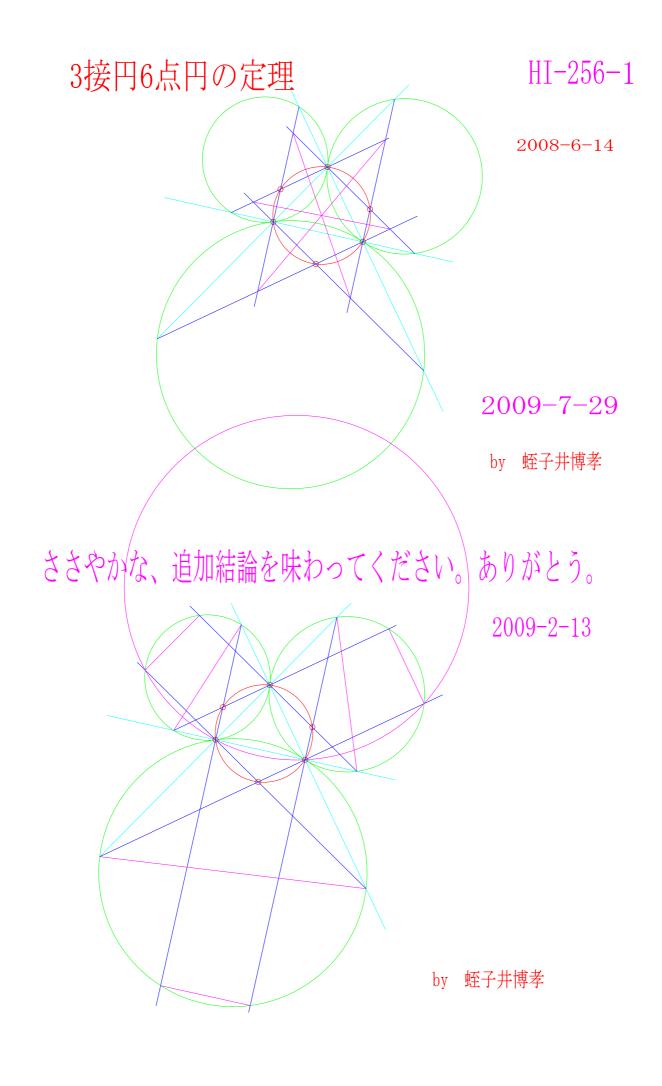
共点定理

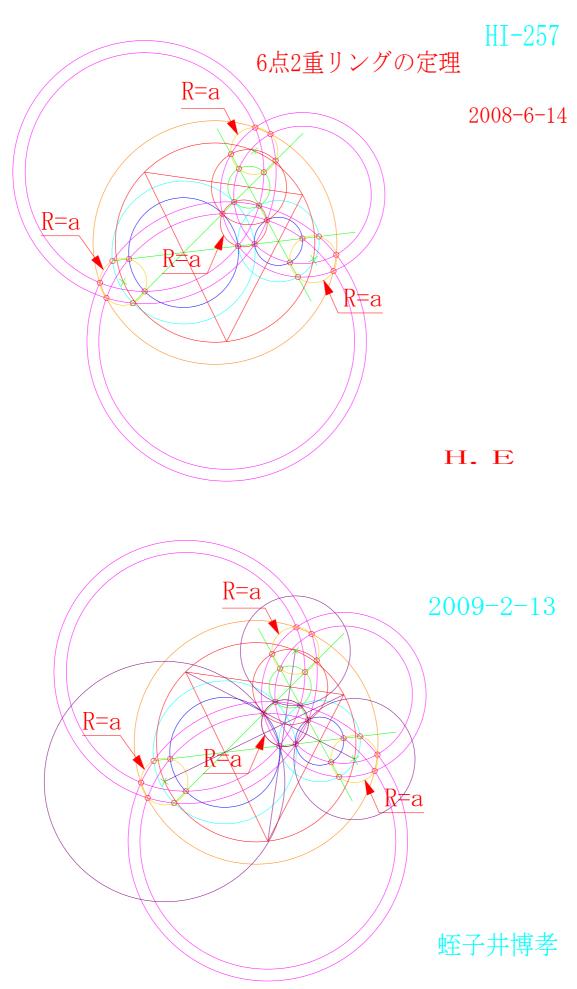


夢星雲へ

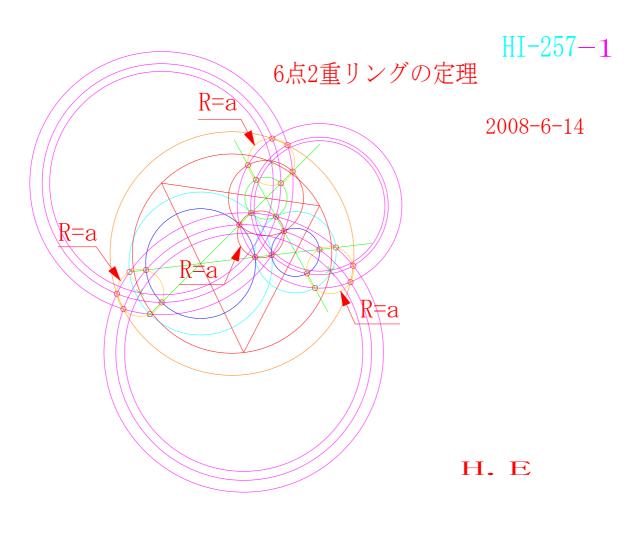


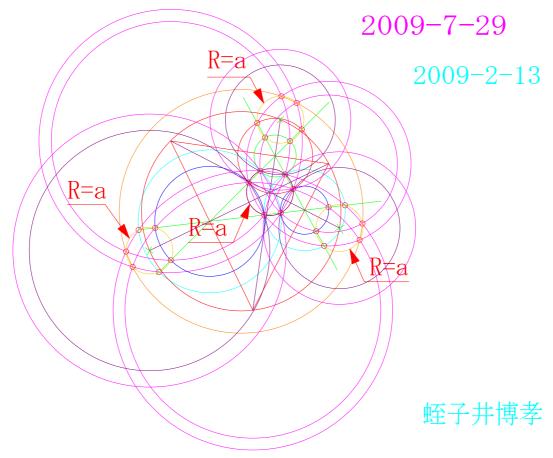




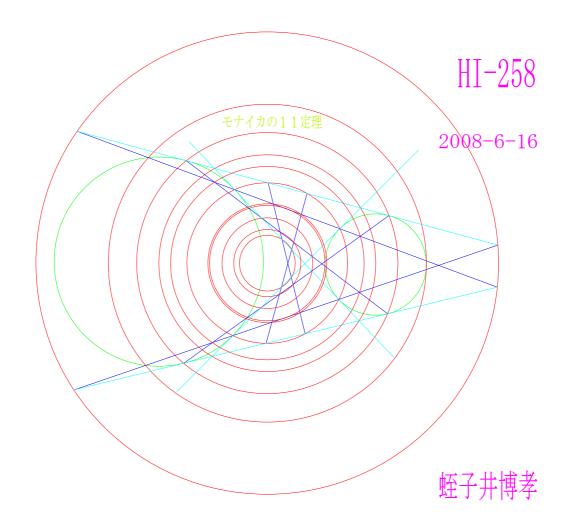


まだまだ、序の口、円さんはがんばってるよ。

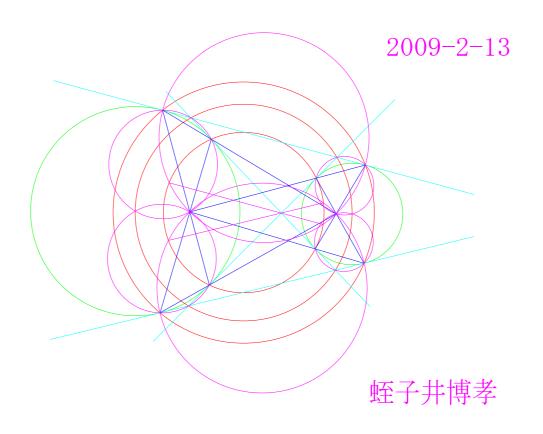


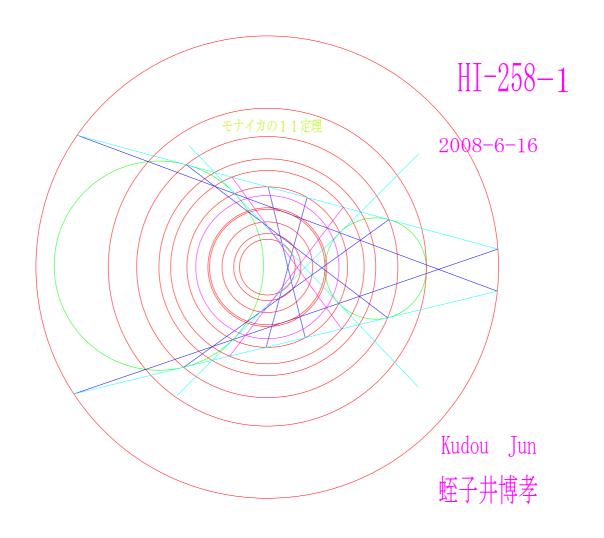


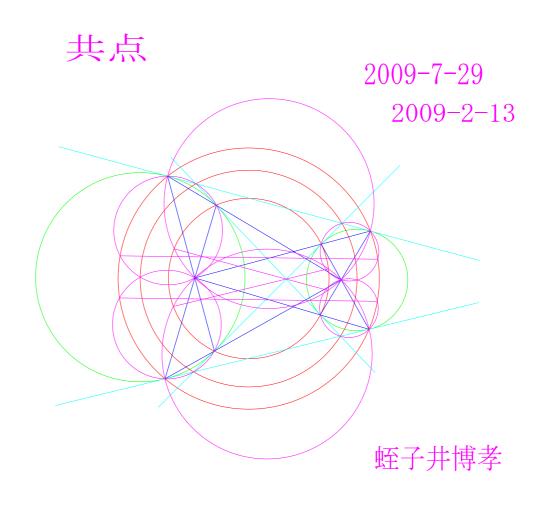
まだまだ、序の口、円さんはがんばってるよ。

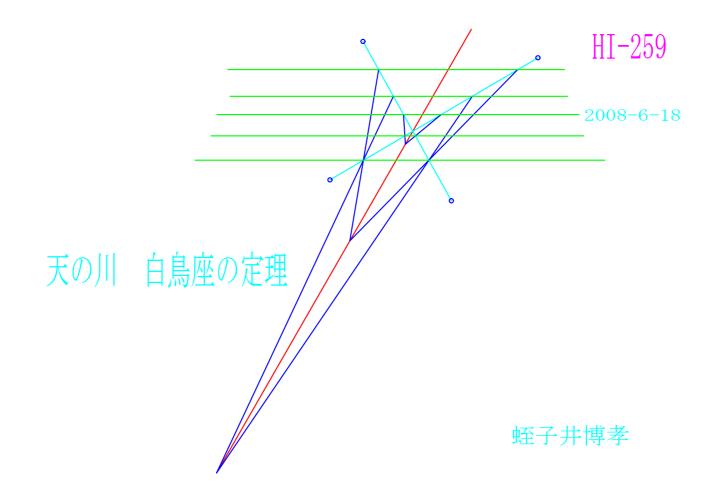


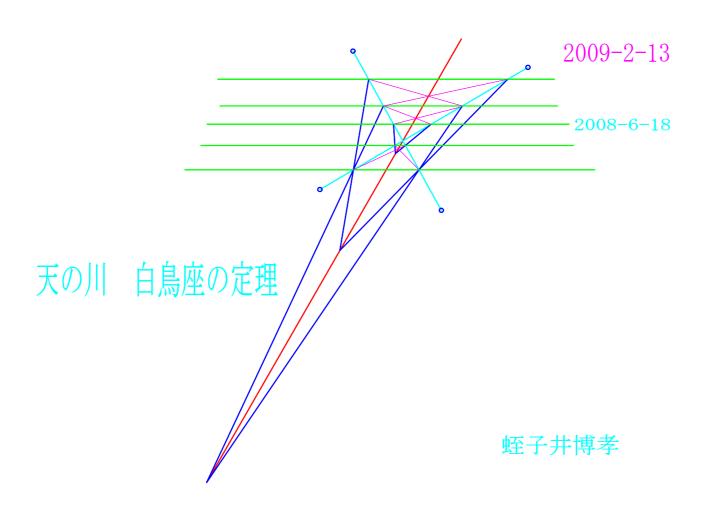
共点

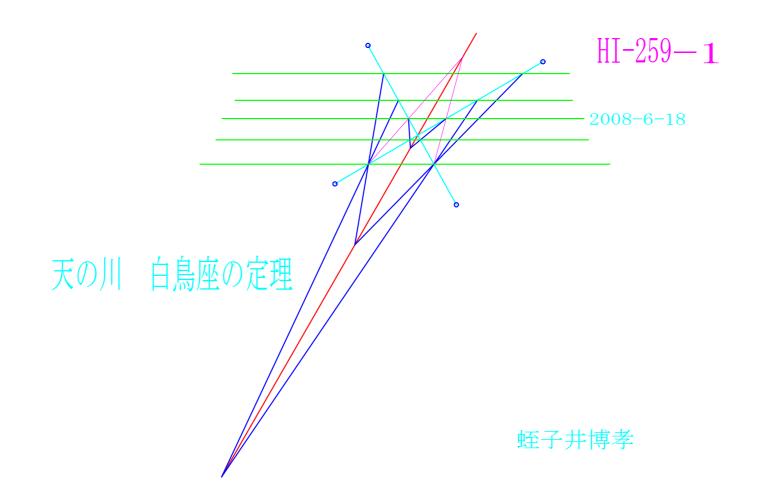


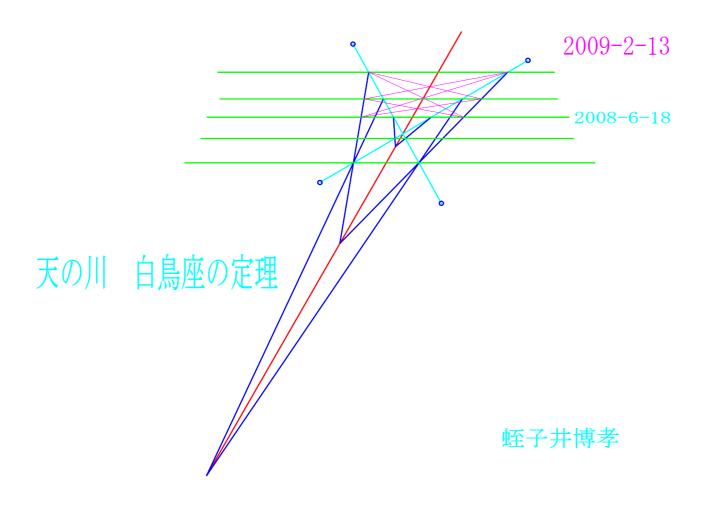








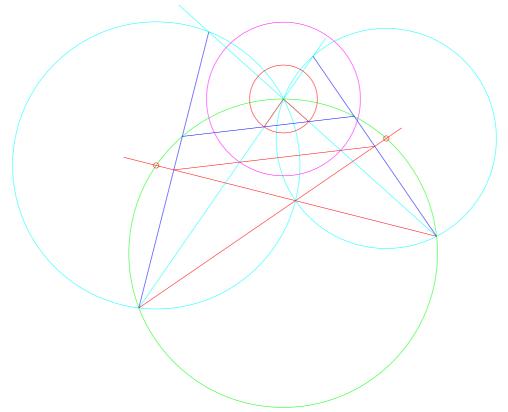


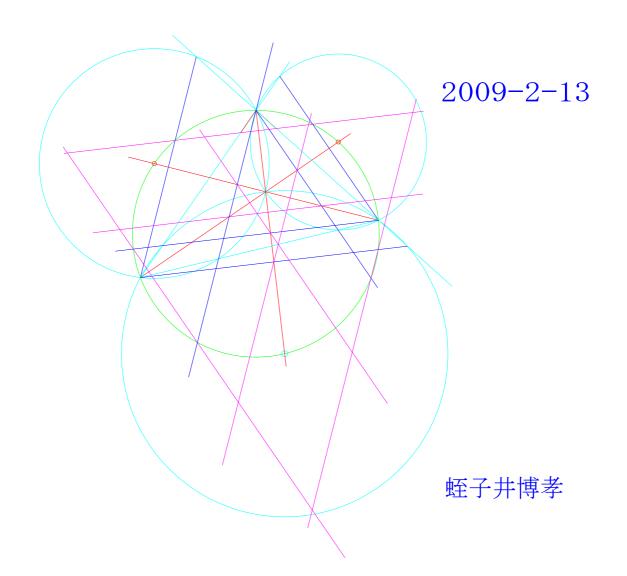


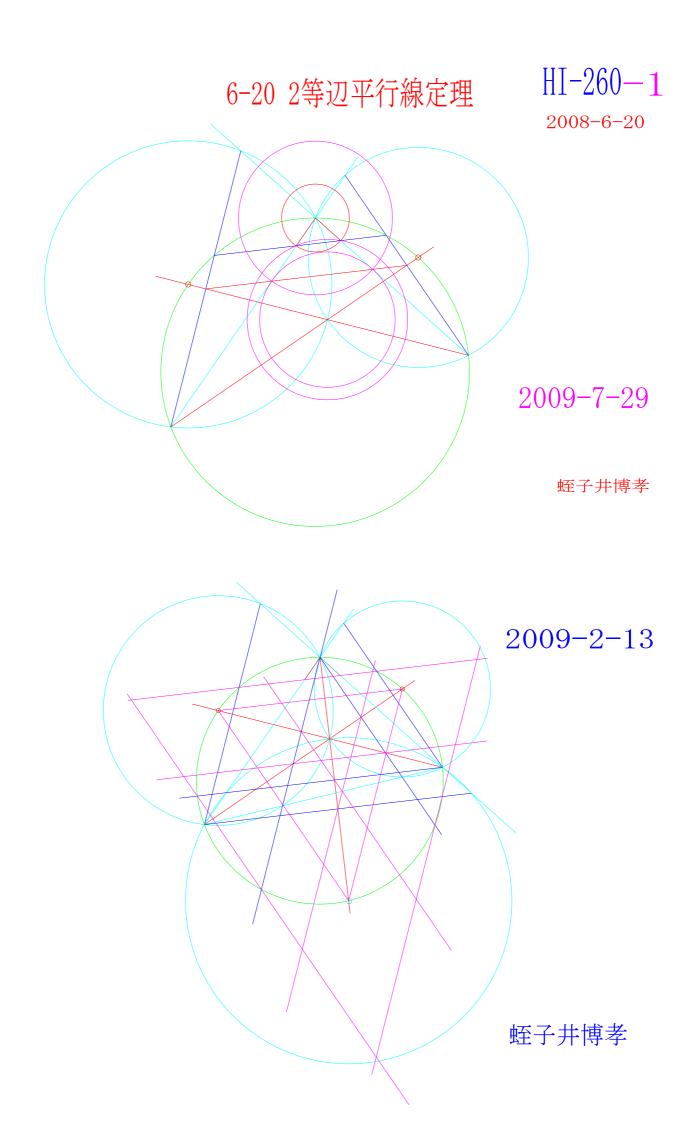


HI-260

2008-6-20

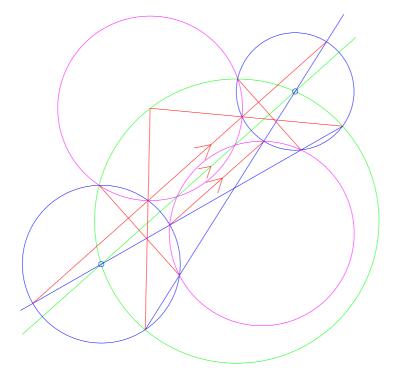






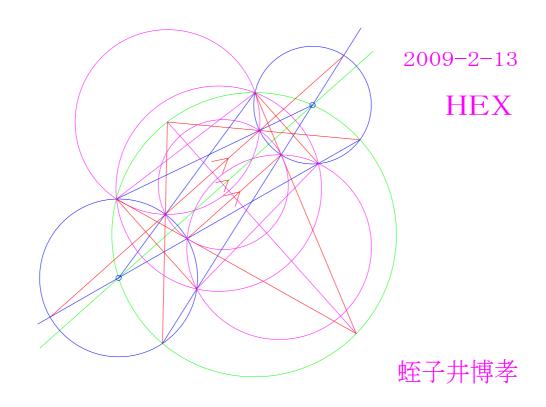
HI-261

2008-6-20

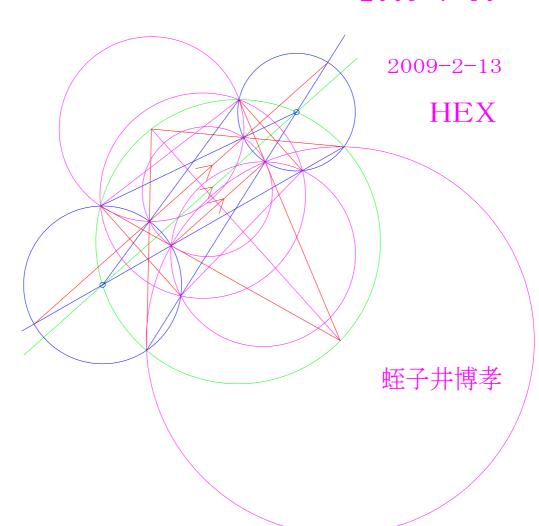


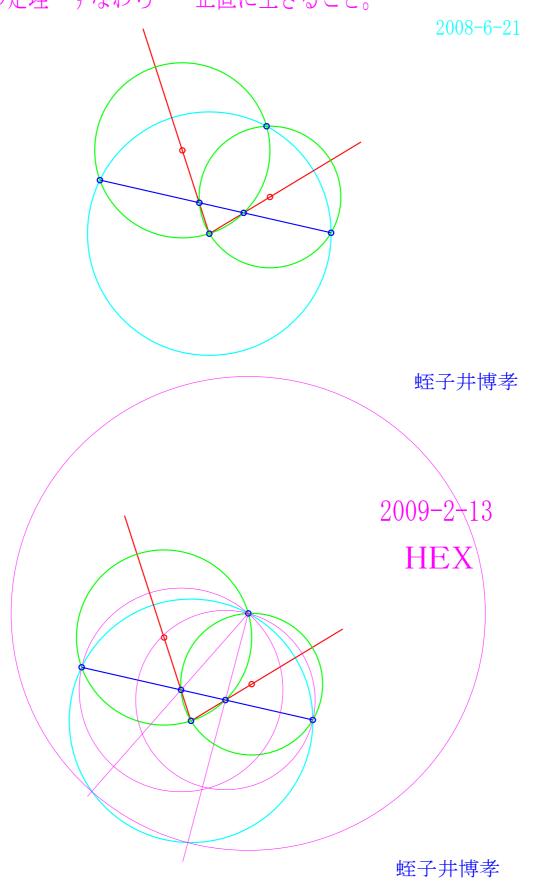
6-20 平行線等径円定理

蛭子井博孝



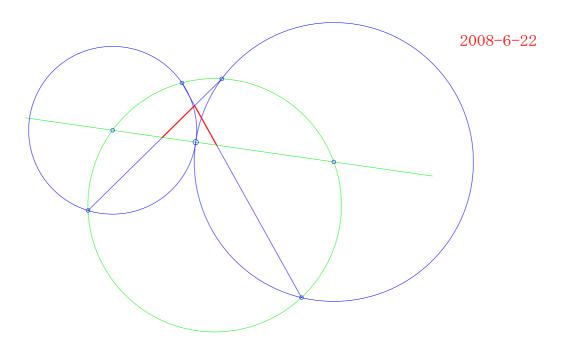




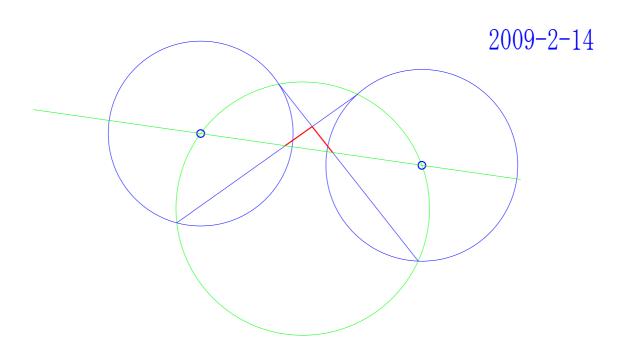


HI-262-1直径の定理 すなわち 正直に生きること。 2008-6-21 2009-7-30 蛭子井博孝 2009-2\13

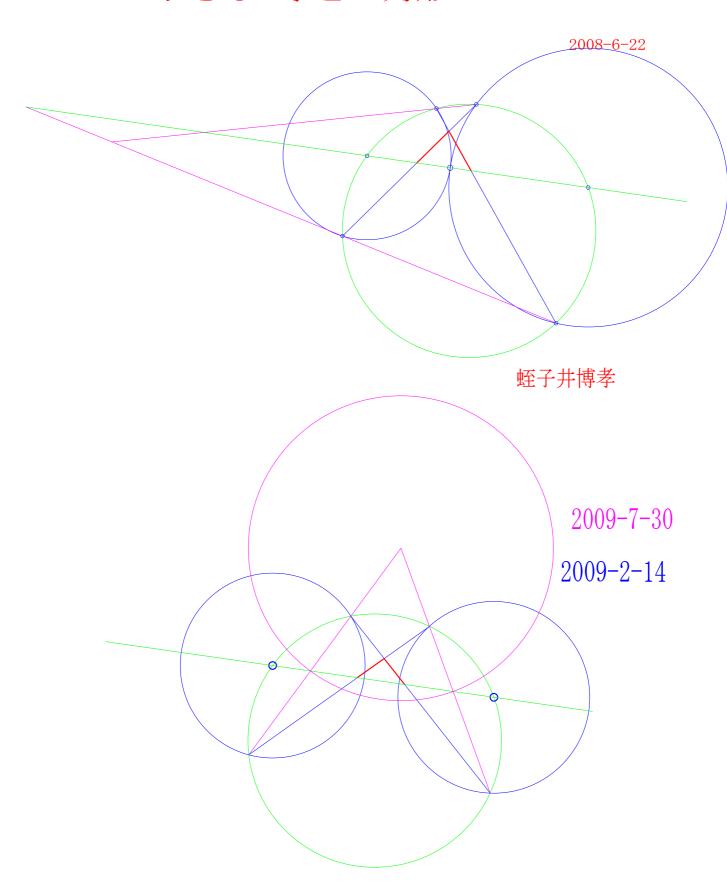
労を惜しむな。希望は、それから。



蛭子井博孝



蛭子井博孝



蛭子井博孝

覚の誕生日の定理

こちら、4点共円

HI-264

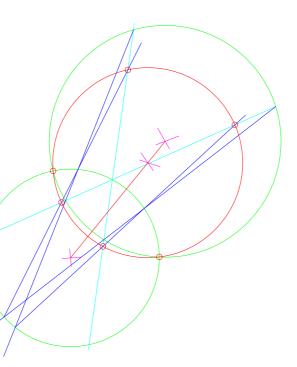
2008-6-27

蛭子井博孝

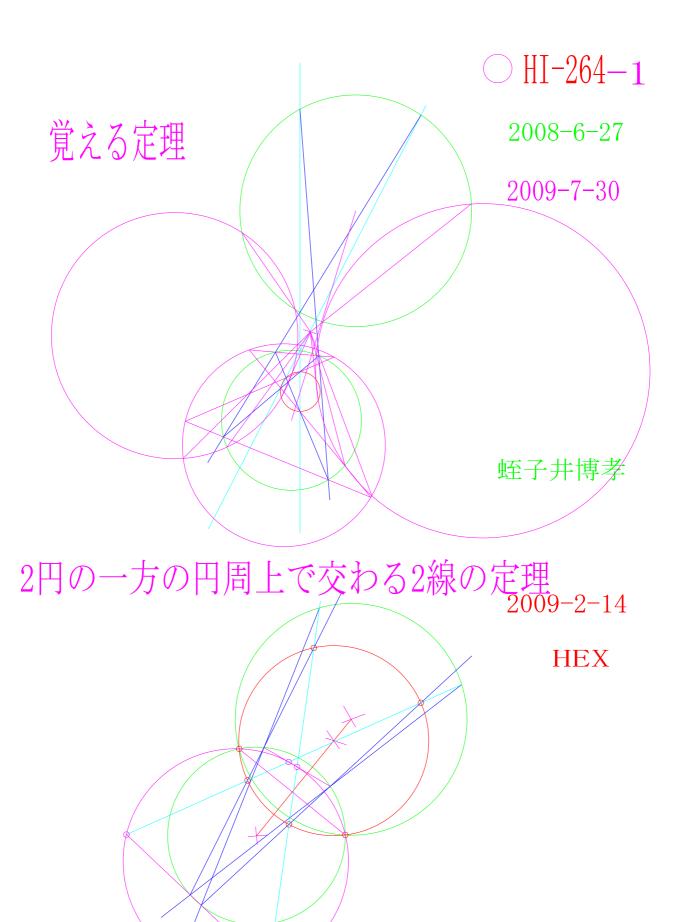
2009-2-14

HEX

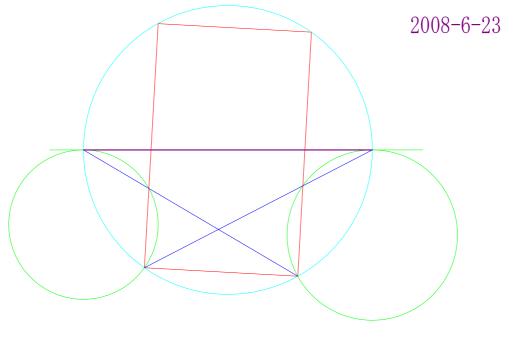
こちら、6点共円 心は一つだよ



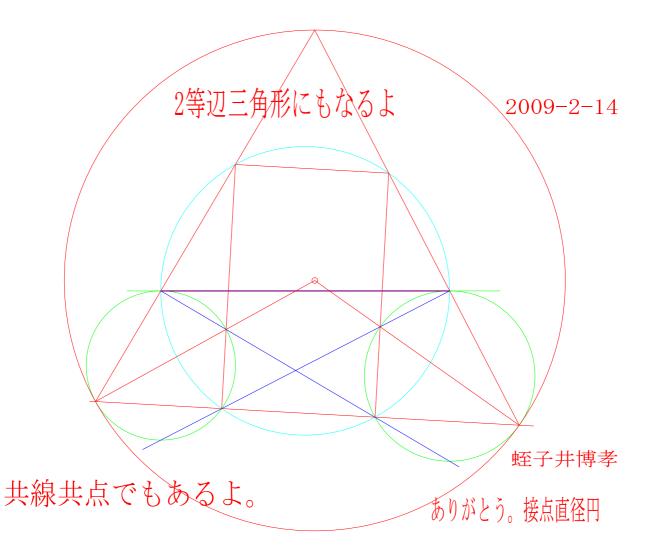
共円と中心共線定理



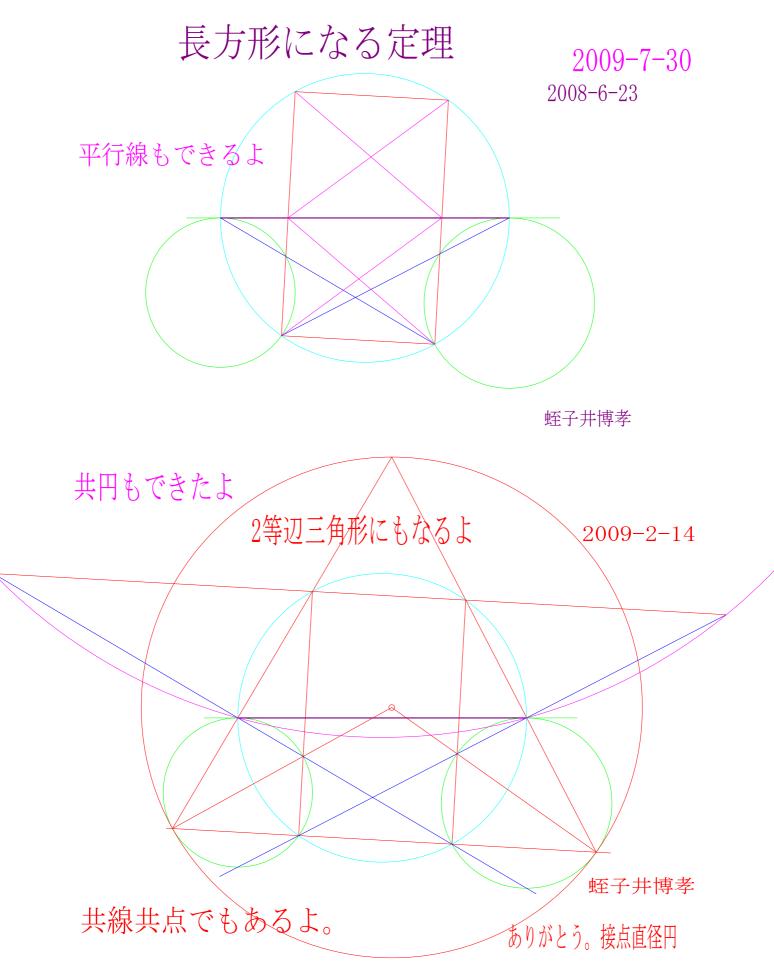
長方形になる定理



蛭子井博孝

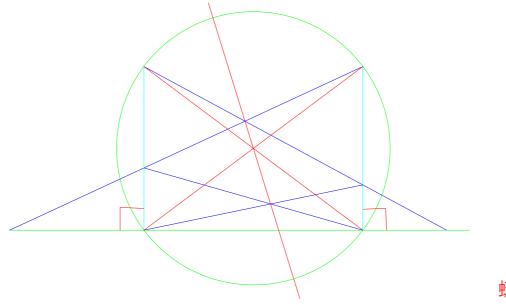


HI - 265 - 1



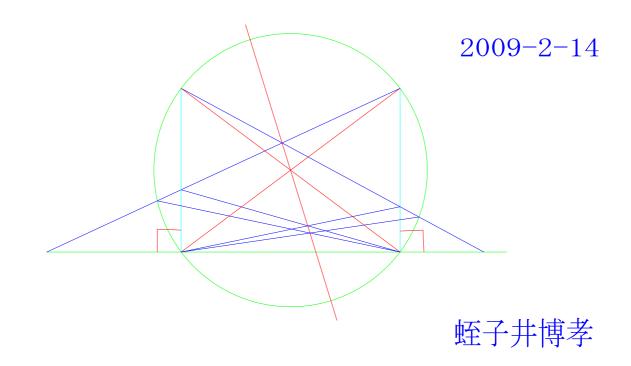
中心を通る線

2008-6-26



蛭子井博孝

自明なパップス線とパスカル線



HI - 266 - 1

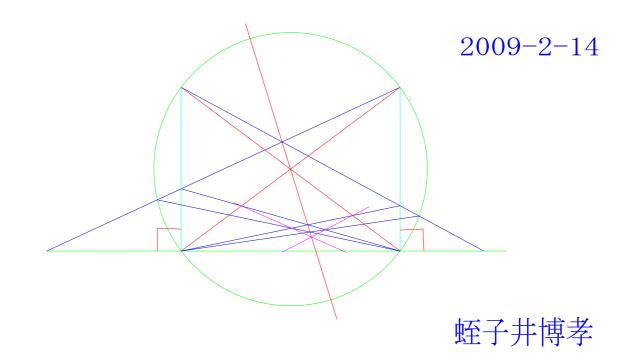
中心を通る線

2008-6-26

2009-7-30

蛭子井博孝

自明なパップス線とパスカル線



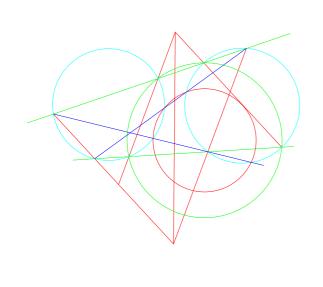


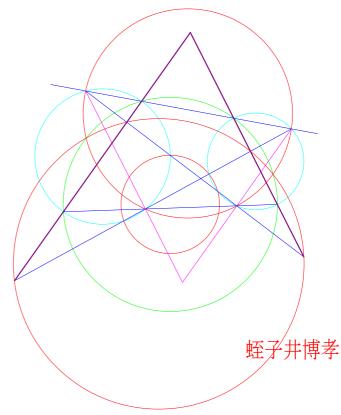
2008-6-26

蛭子井博孝

2009-2-15

直径円でなくてもできる

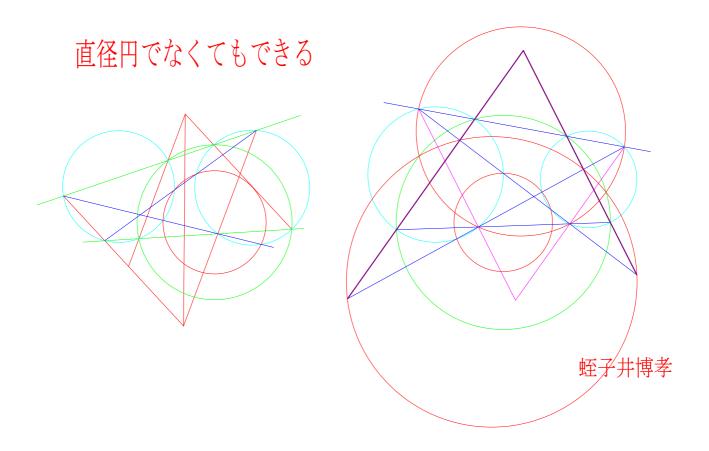




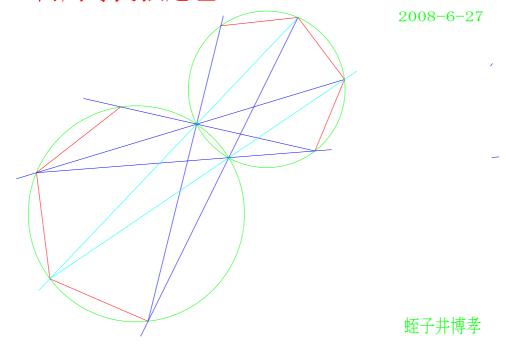
HI-267-1 HI-218、221と同じだ 失礼



2009-2-15

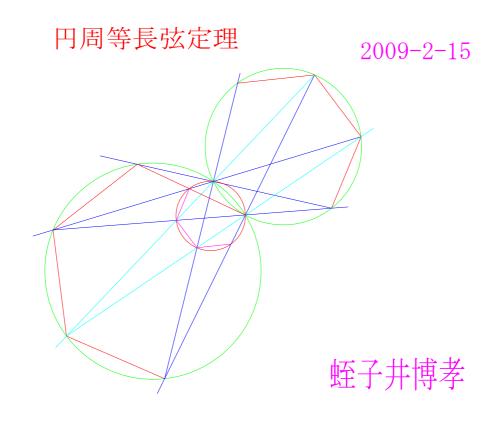


円周等長弦定理



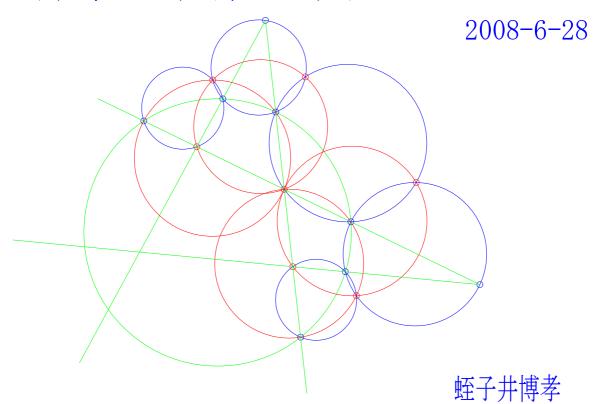
四周等長弦定理 2009-2-15 蛭子井博孝

四周等長弦定理 2008-6-27 2009-7-31

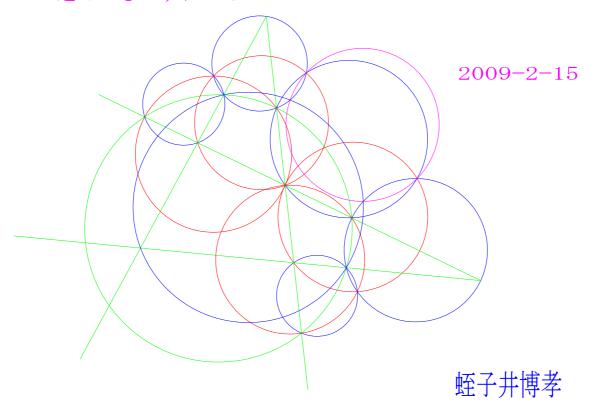


片寄った円群の共円定理

HI-269

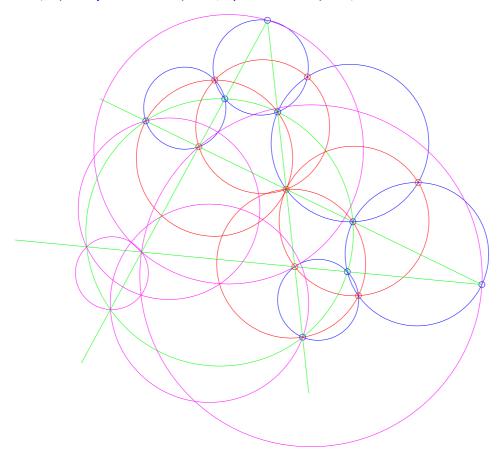


追加できたうれしさ

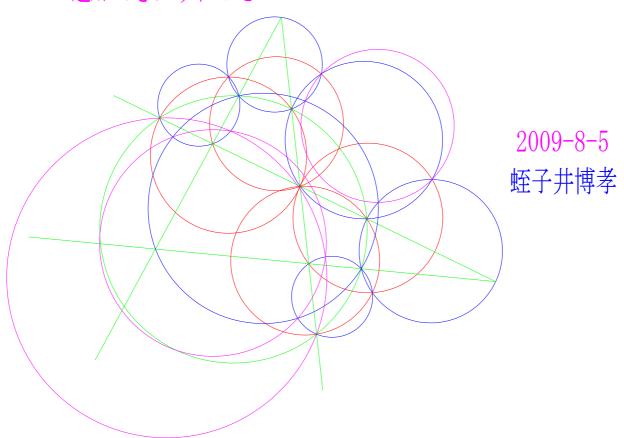


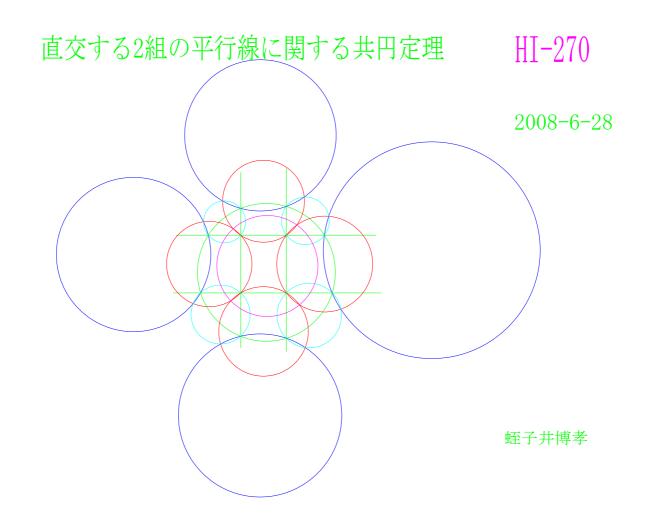
HI-269-1P

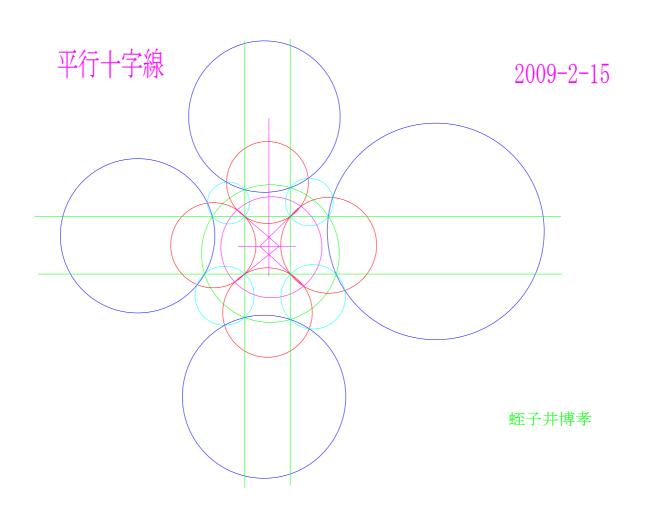
片寄った円群の共円定理

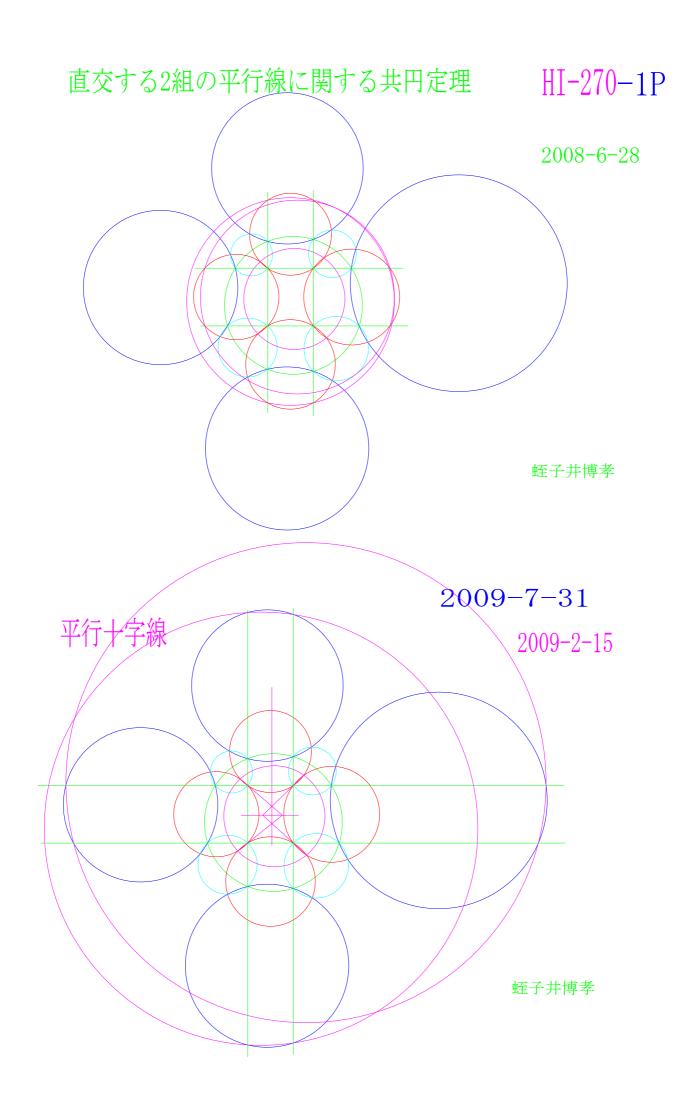


追加できたうれしさ



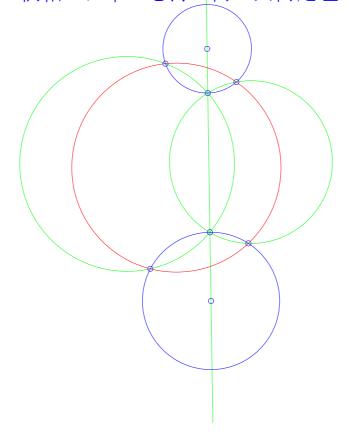


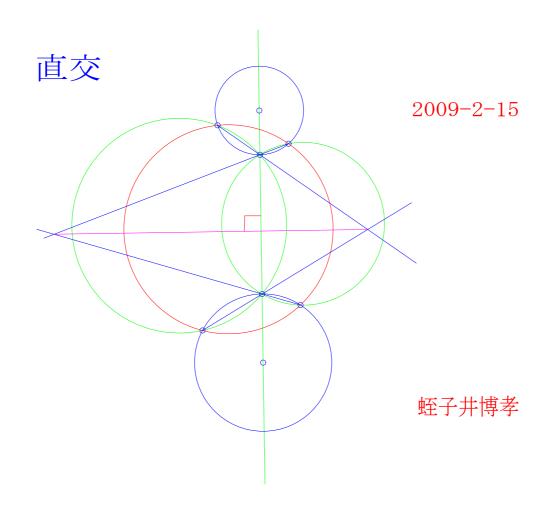




6-29 根軸上に中心を持つ円の共円定理

2008-6-29

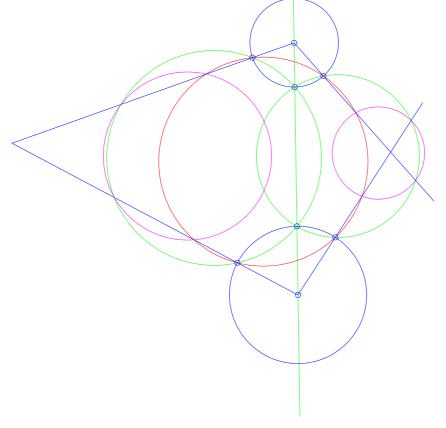


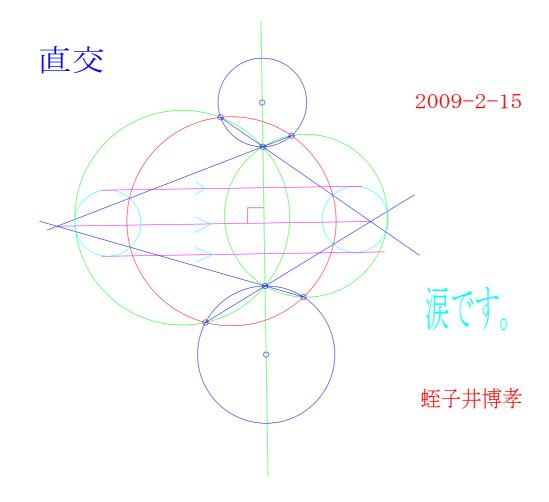


HI-271-1N

6-29 根軸上に中心を持つ円の共円定理

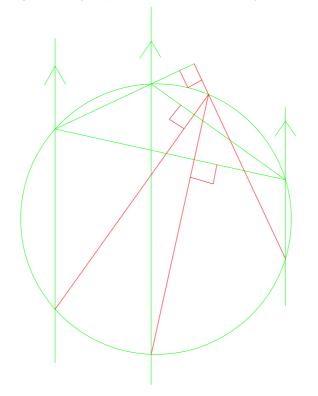
2008-6-29





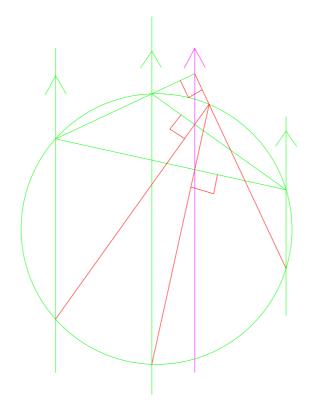
HI-272

三角形の外接円に関する周極点へイ線の定理



2008-6-29

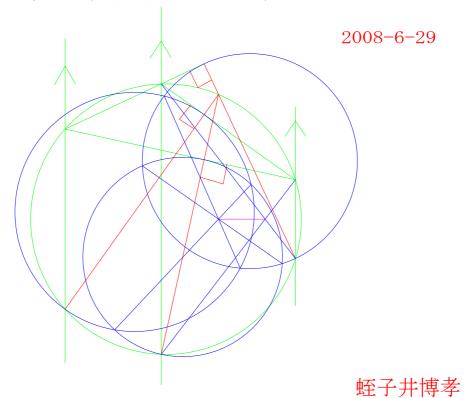
蛭子井博孝



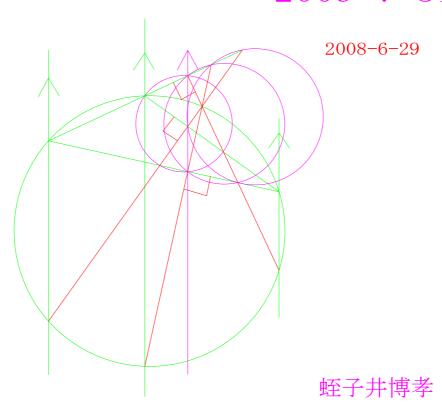
2008-6-29

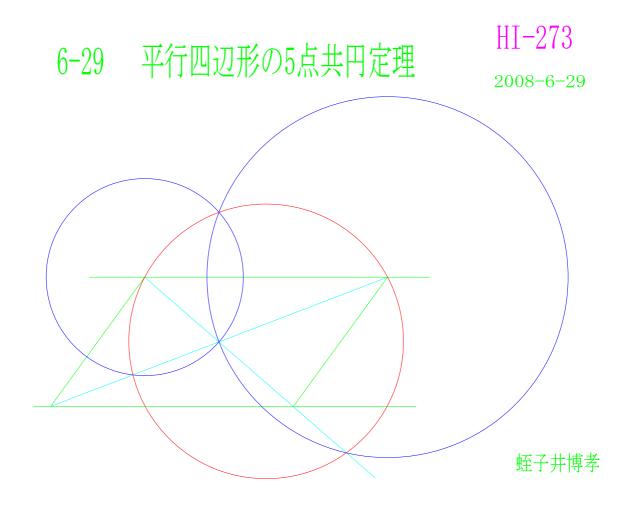
HI-272-1

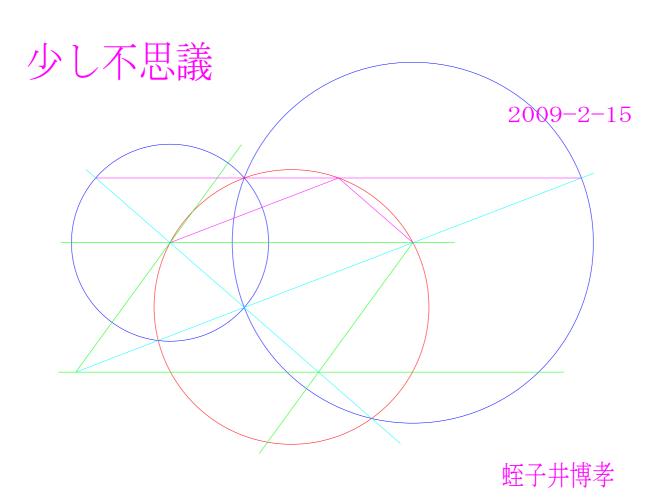
三角形の外接円に関する周極点へイ線の定理

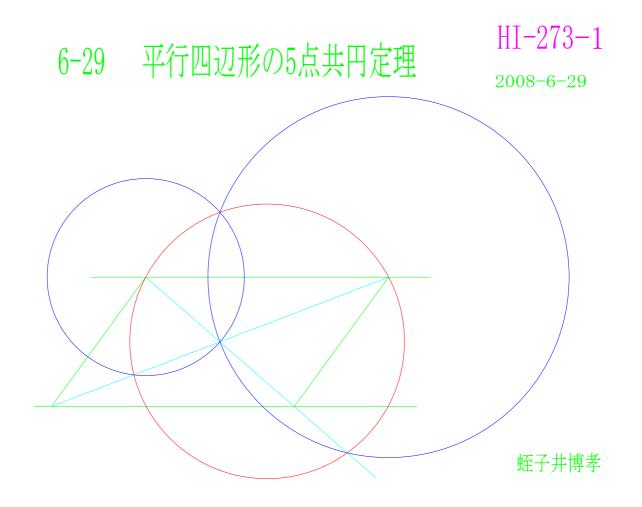


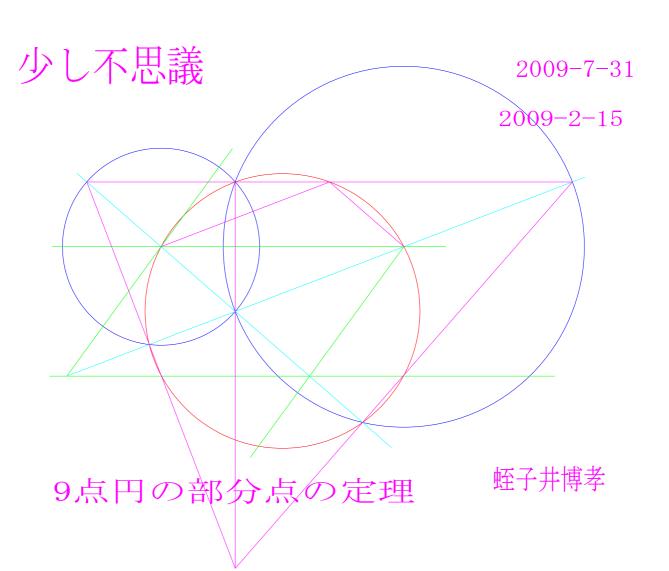
2009-7-31

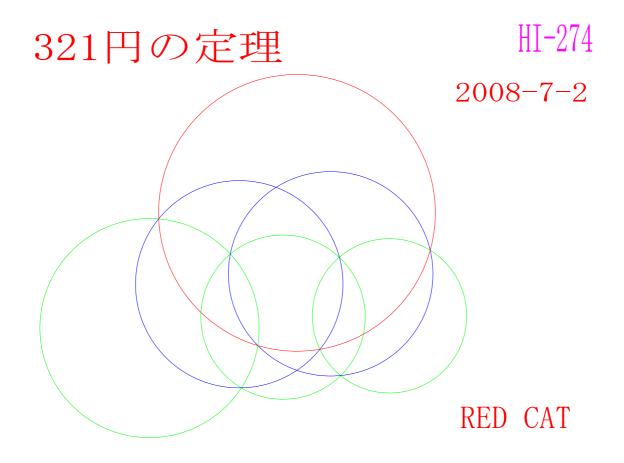


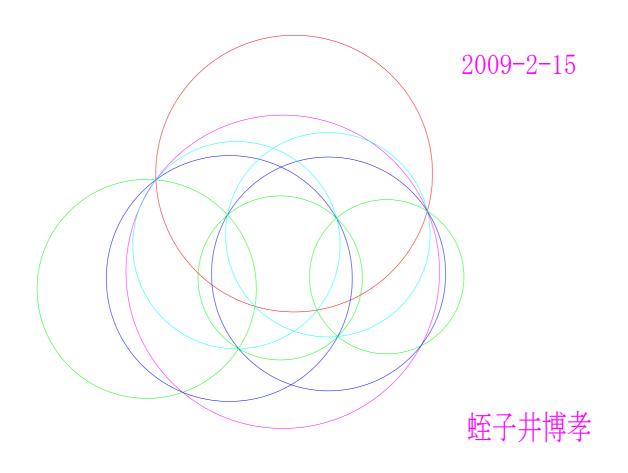


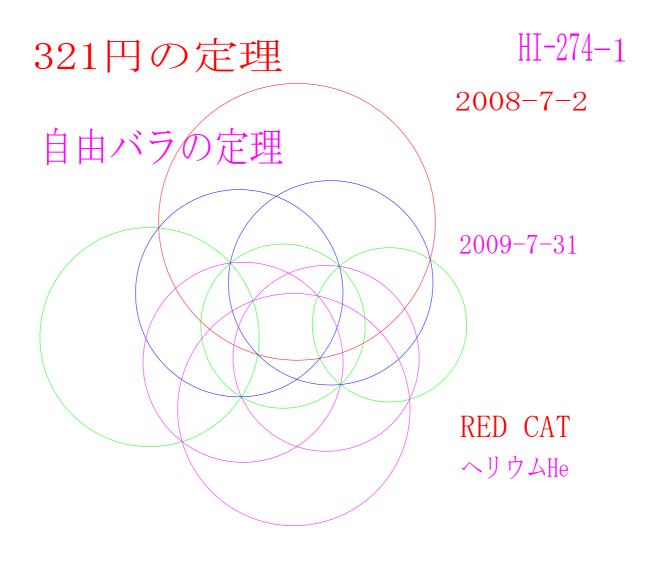


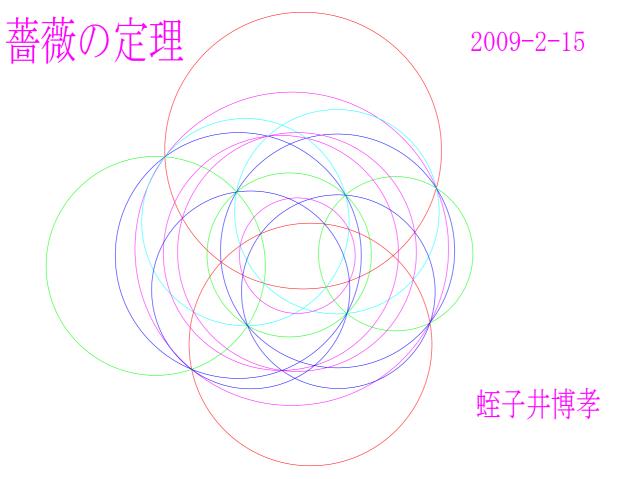


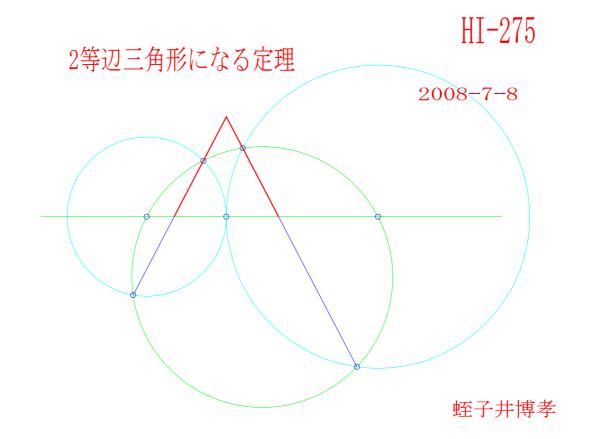


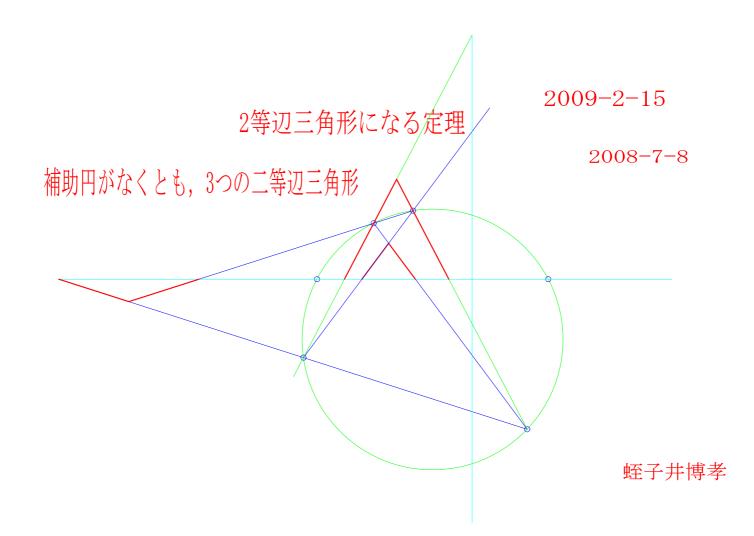


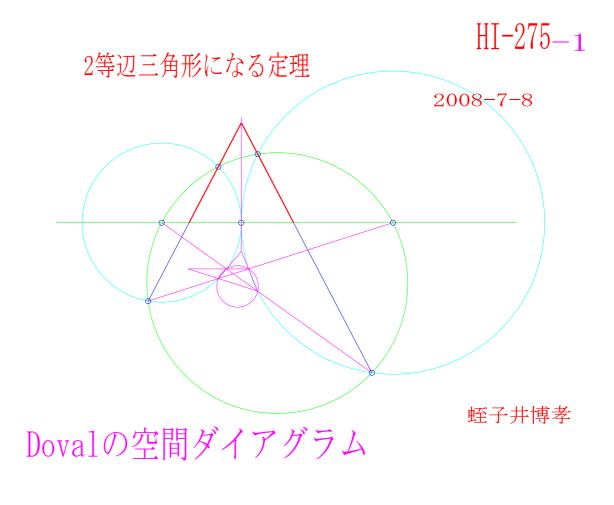


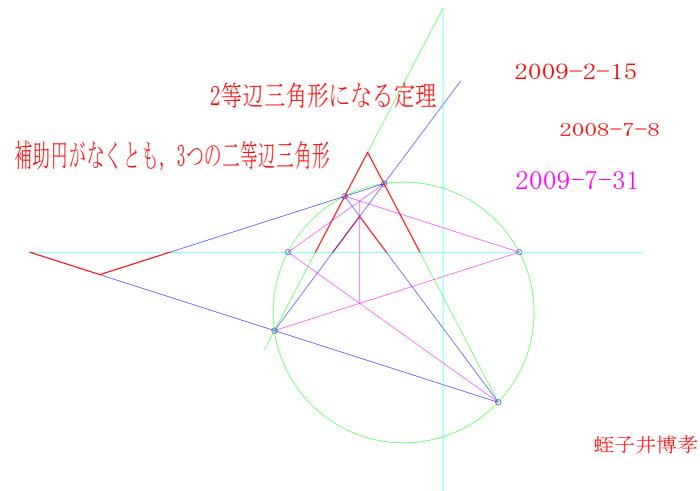


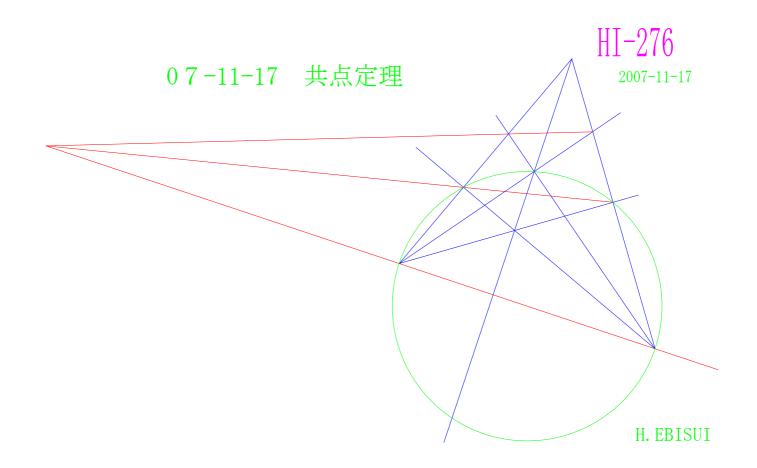


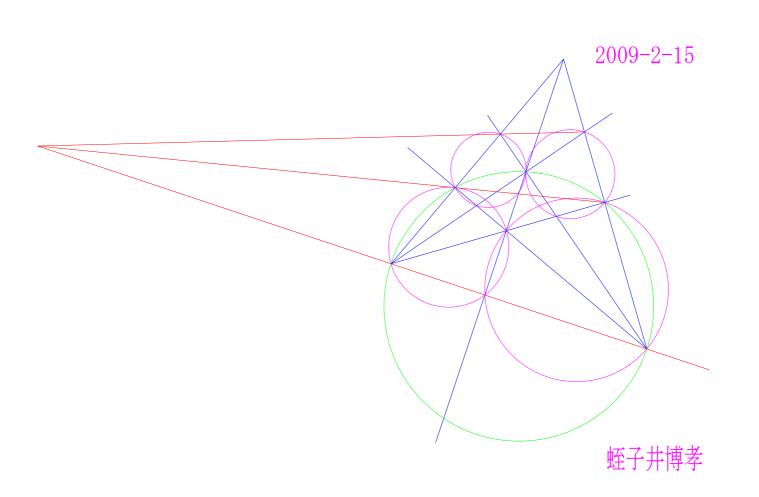


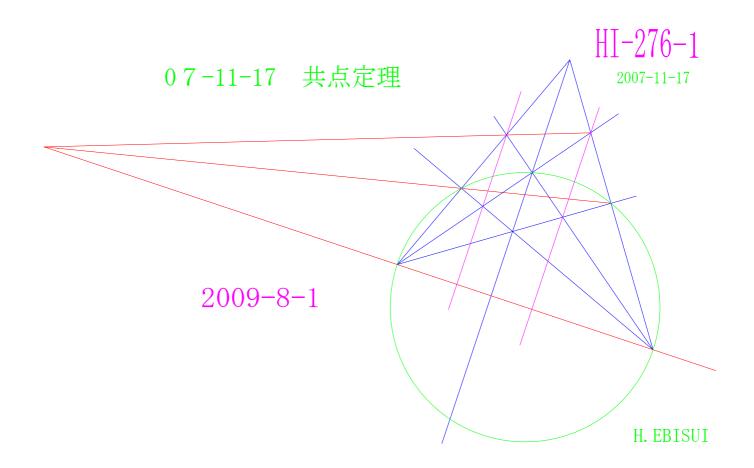


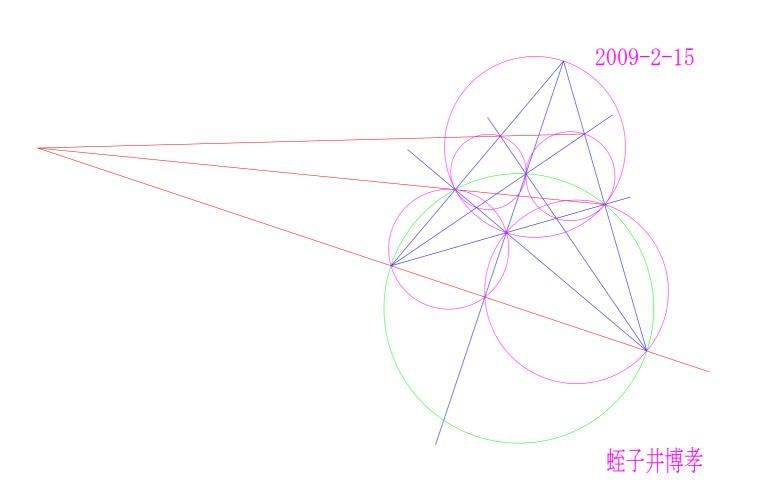




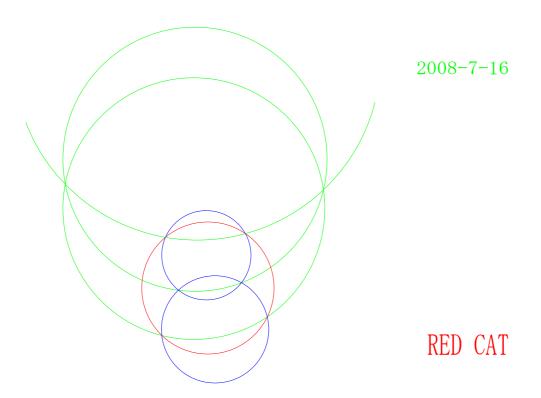


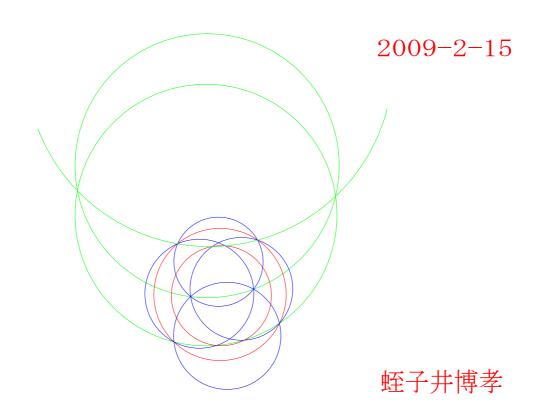


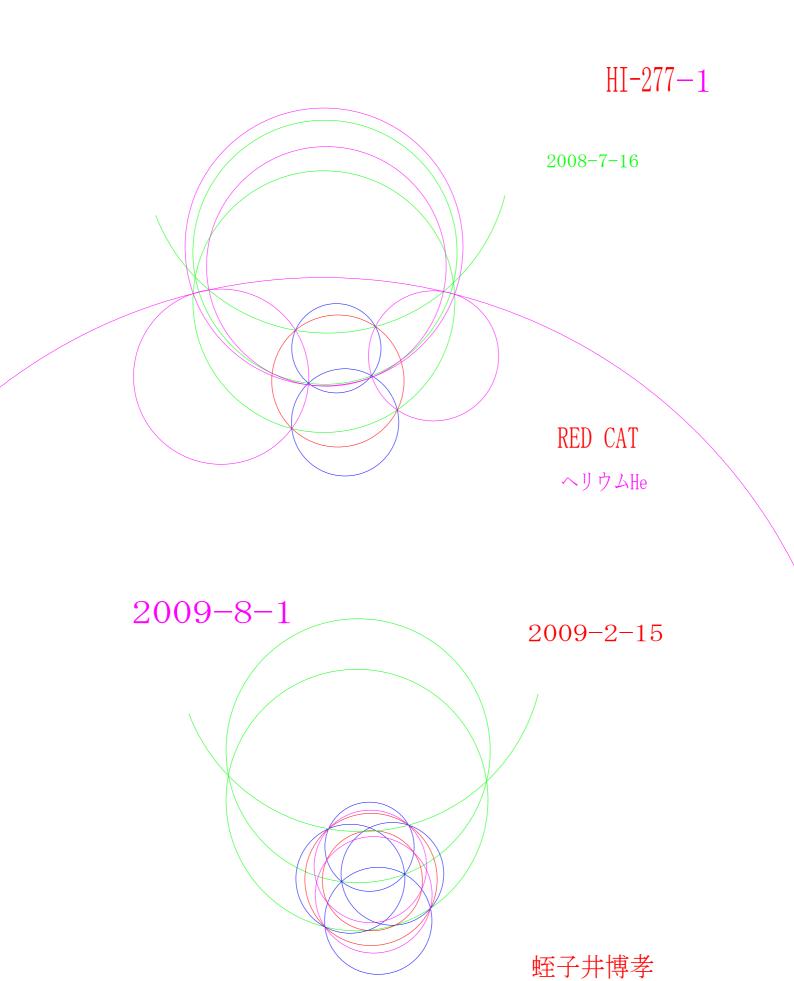


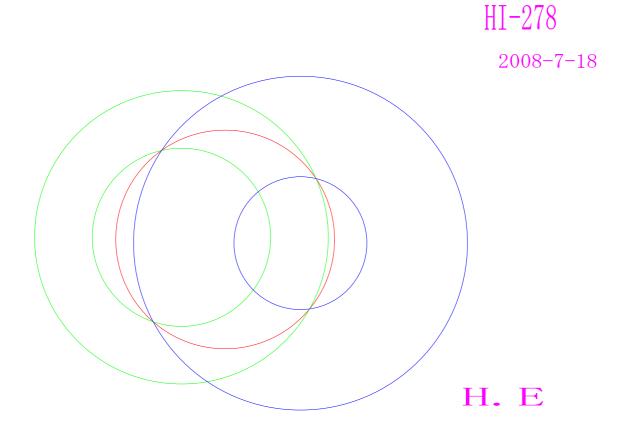


HI-277

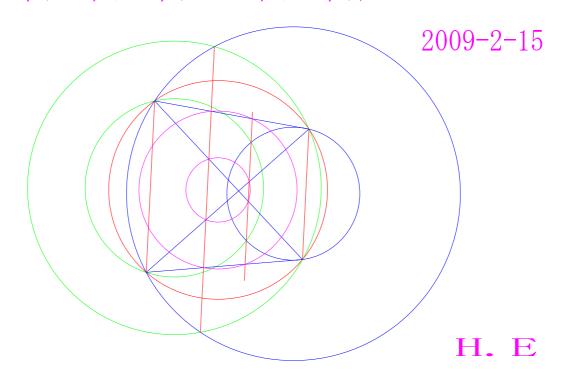


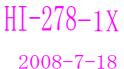


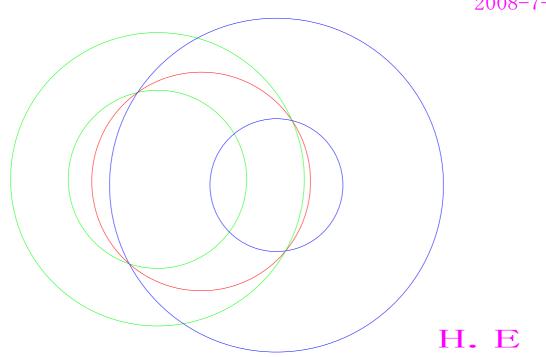




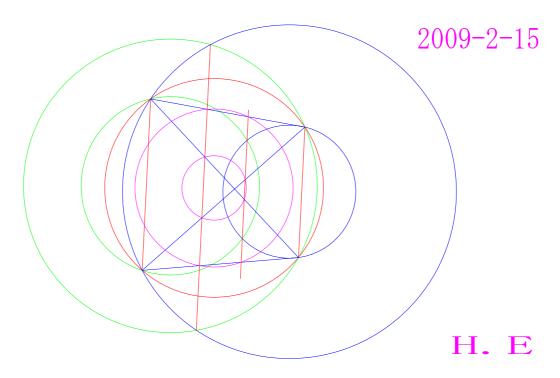
同心円と同心円のの同心円定理





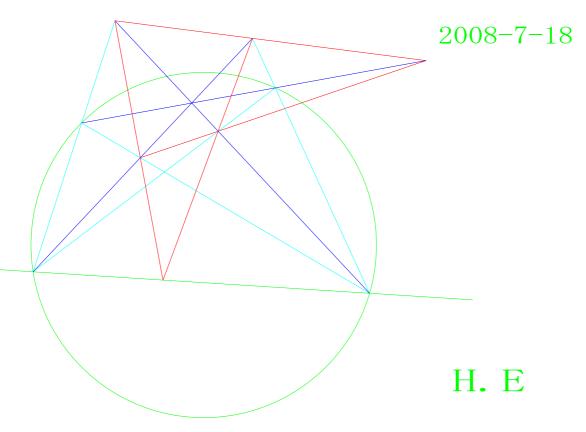


同心円と同心円のの同心円定理

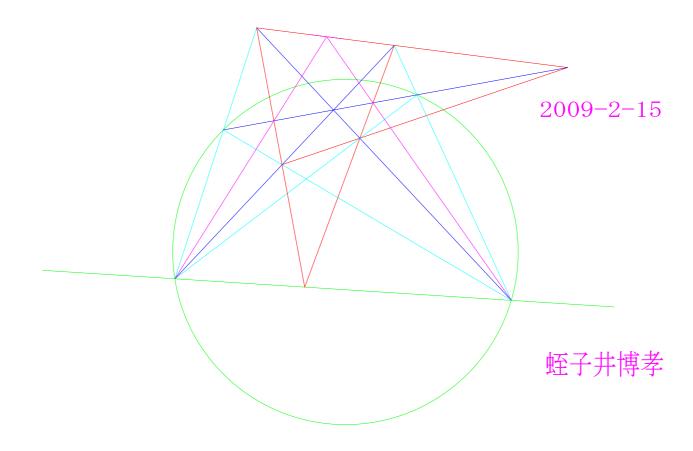




HI-279

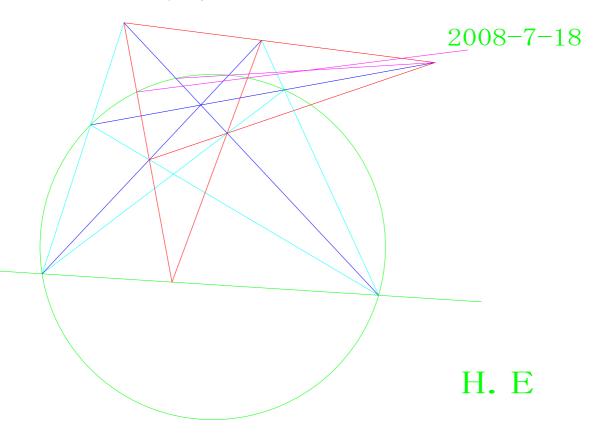


マジェンタは、パップス線で自明の共点だよ

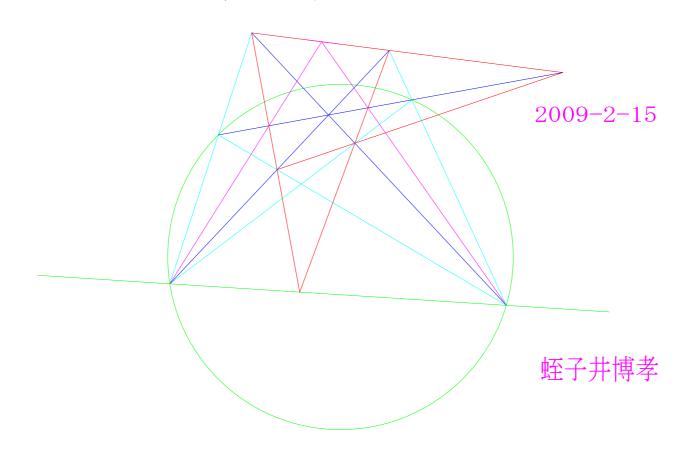




HI-279-1PX



マジェンタは、パップス線で自明の共点だよ

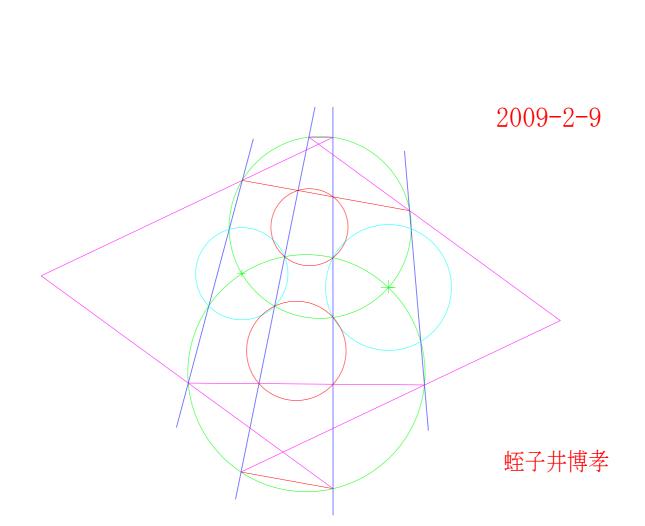


HI-280

2008-5-20

赤線平行マジェンタも平行

蛭子井博孝



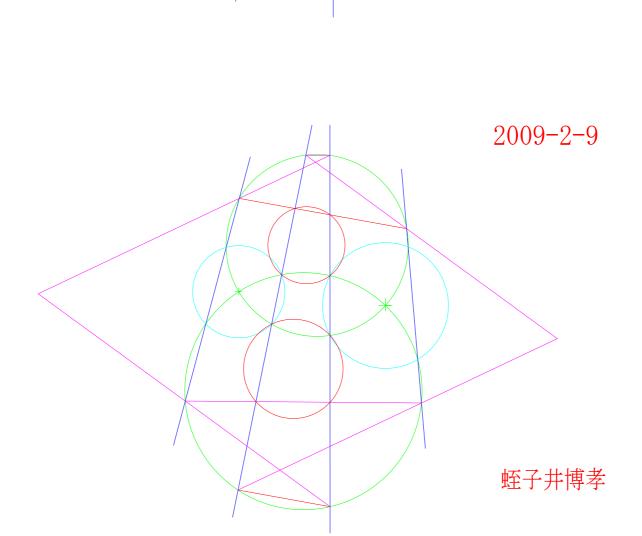
2円の交点を中心に持つ2円の定理

HI-280-1PX

2008-5-20

赤線平行マジェンタも平行

蛭子井博孝

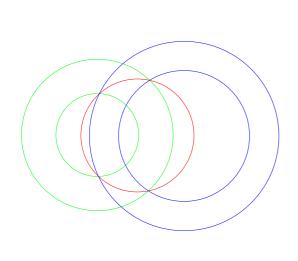


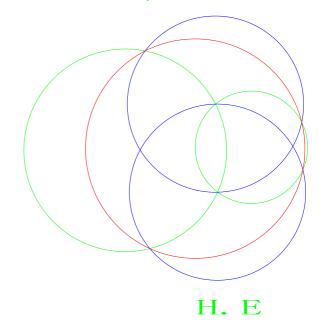
2円の交点を中心に持つ2円の定理

対称型 5円共円定理 しかないのだろうか

円だけの共円定理5円だけではできないだろうか。6円以上必要なのだろうか。

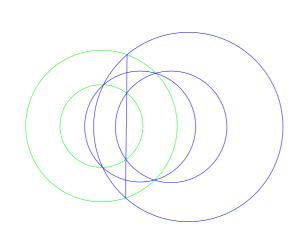
2008-7-19

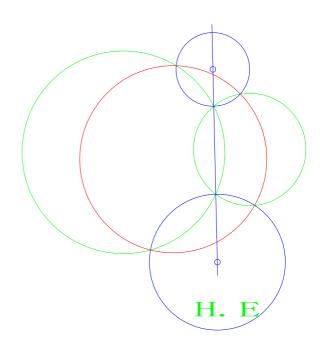




直線を使ってしまった。

2009-2-15

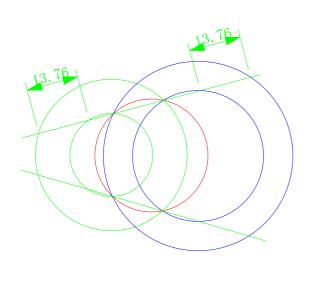


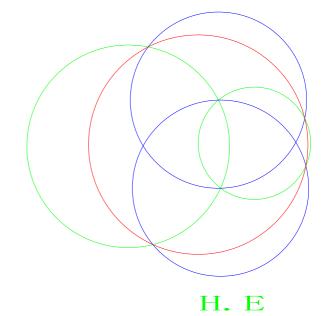


対称型 5円共円定理 しかないのだろうか

円だけの共円定理5円だけではできないだろうか。6円以上必要なのだろうか。

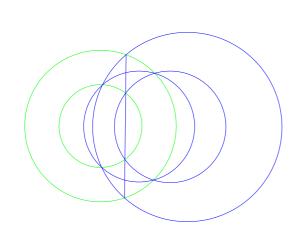
2008-7-19

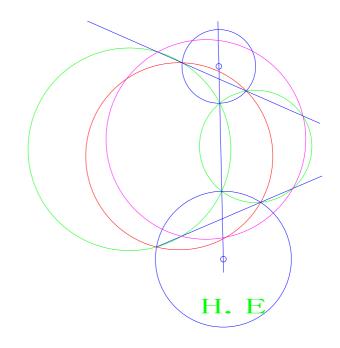


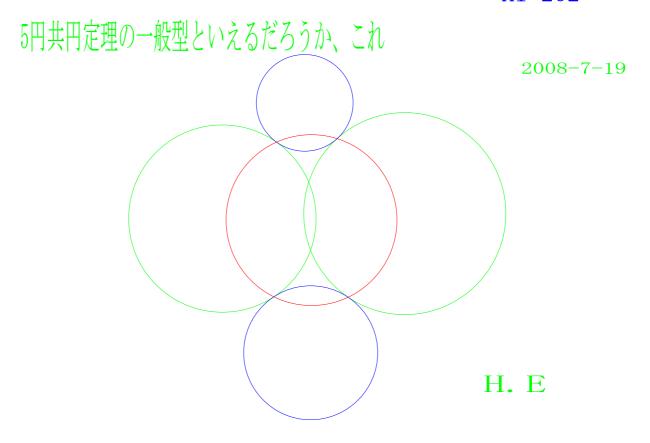


直線を使ってしまった。

2009-8-4 2009-2-15

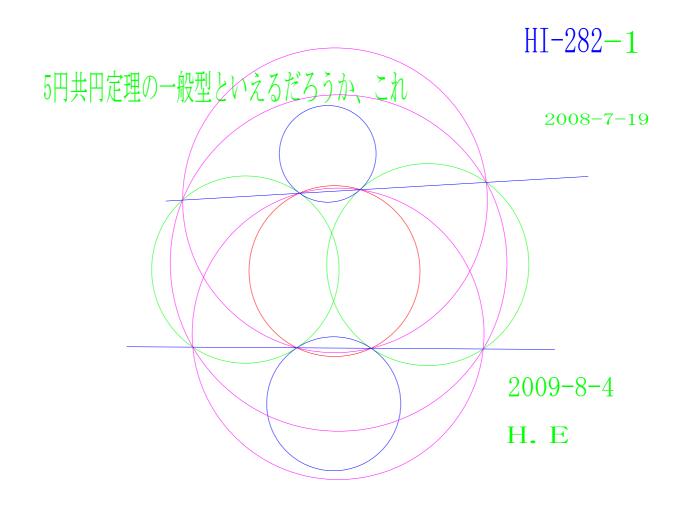






2009-2-16

予想: 直線または、円併せて4つを使い4交点を作り、それを共円にすることは不可能 対称性のあるものはできるが非対称なものは不可能 蛭子井博孝

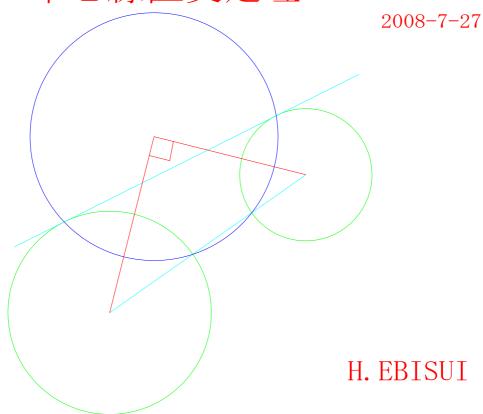


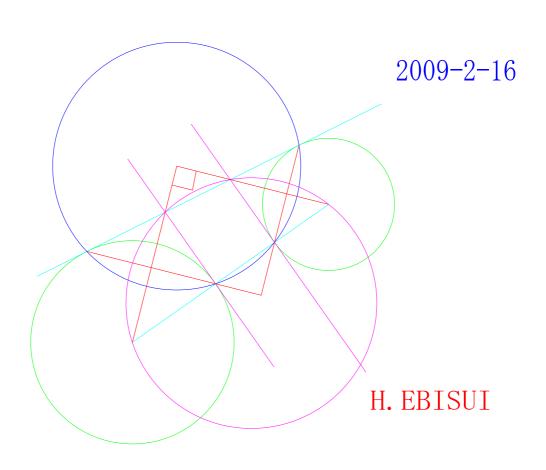
2009-2-16

関係ない共円でごめんね

予想: 直線または、円併せて4つを使い4交点を作り、それを共円にすることは不可能 対称性のあるものはできるが非対称なものは不可能 蛭子井博孝

7-27 中心線直交定理

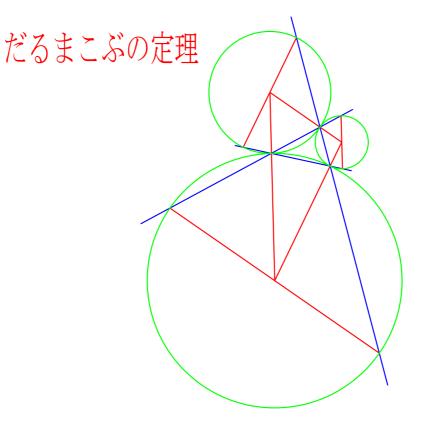


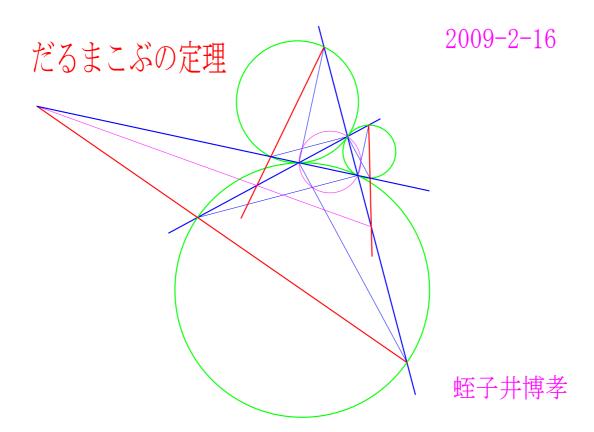


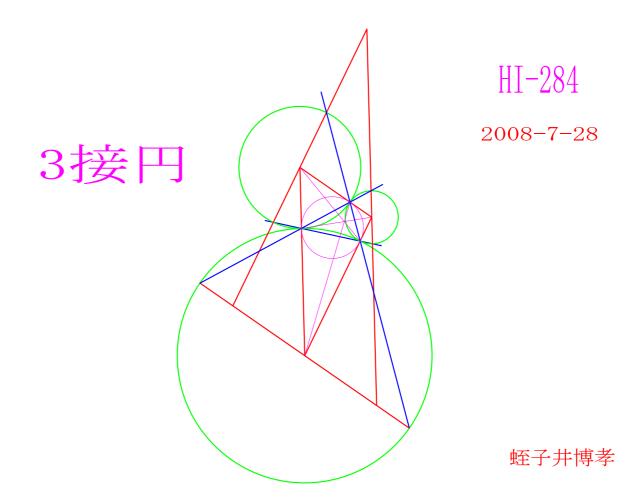
7-27 中心線直交定理 2008-7-27 H. EBISUI 2009-8-4 2009-2-16 H. EBISUI

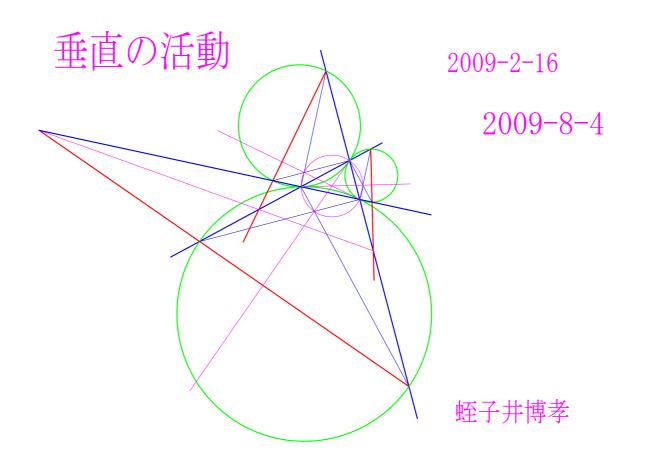
HI-284

2008-7-28

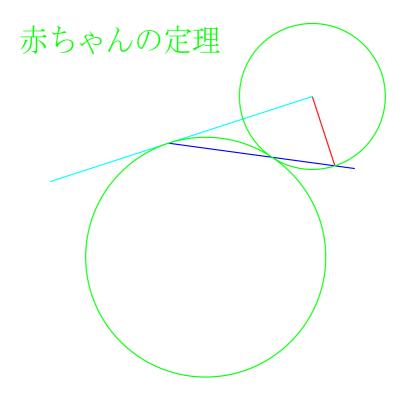


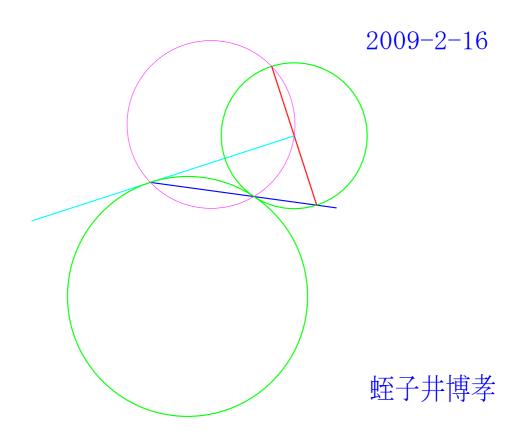






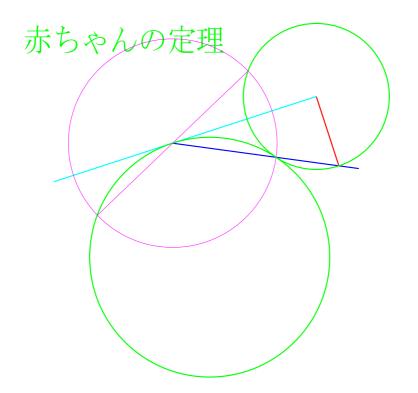


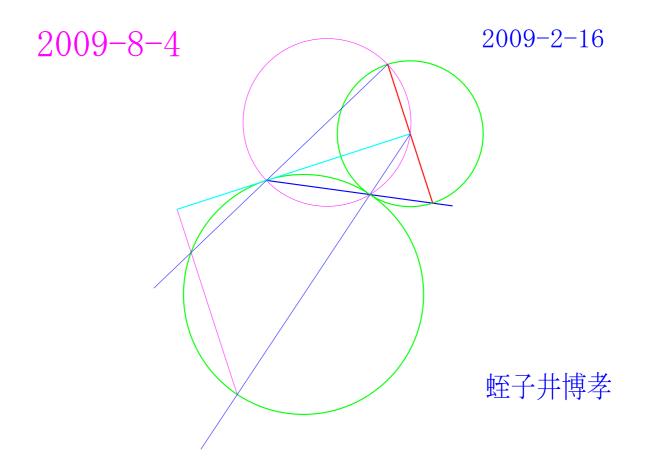


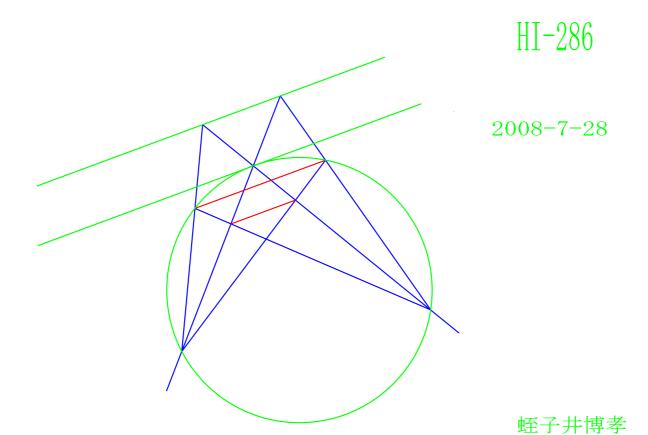


HI - 285 - 1

2008-7-28



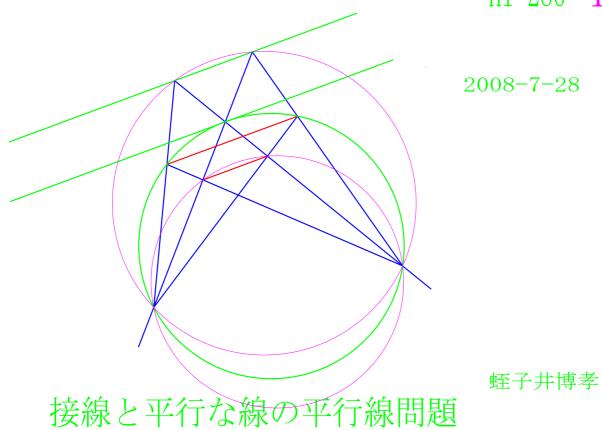


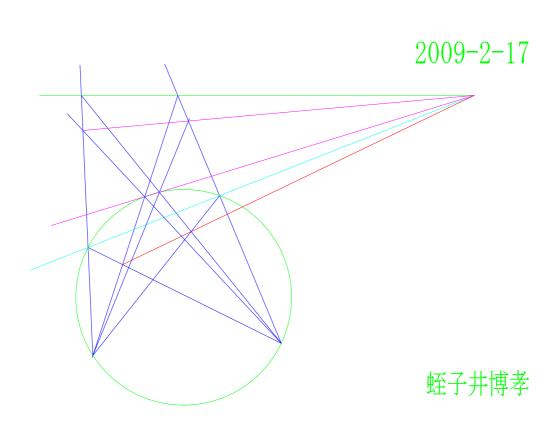


接線と平行な線の平行線問題

2009-2-17

HI - 286 - 1

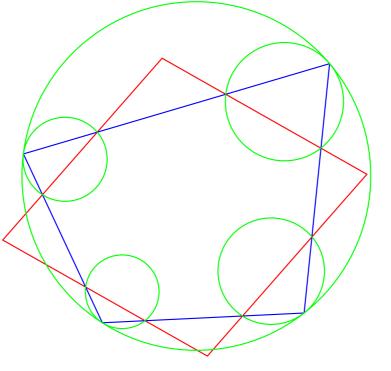


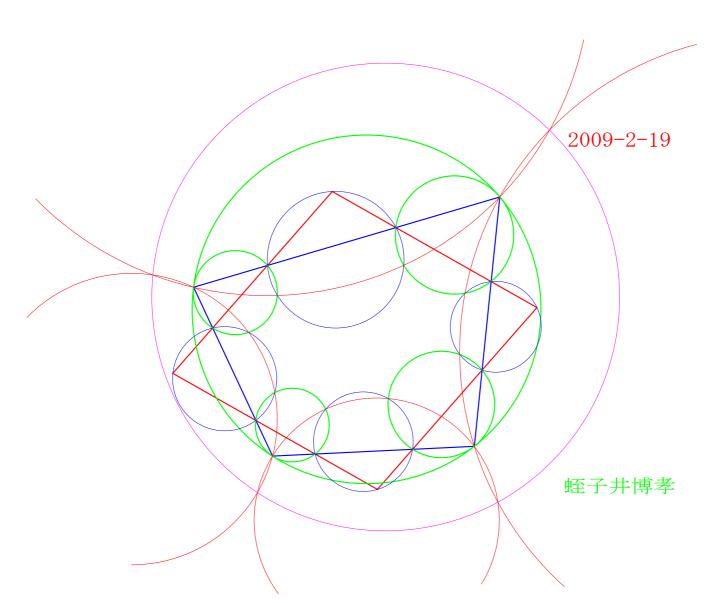


4接円による平行四辺形(初級問題)

HI-287

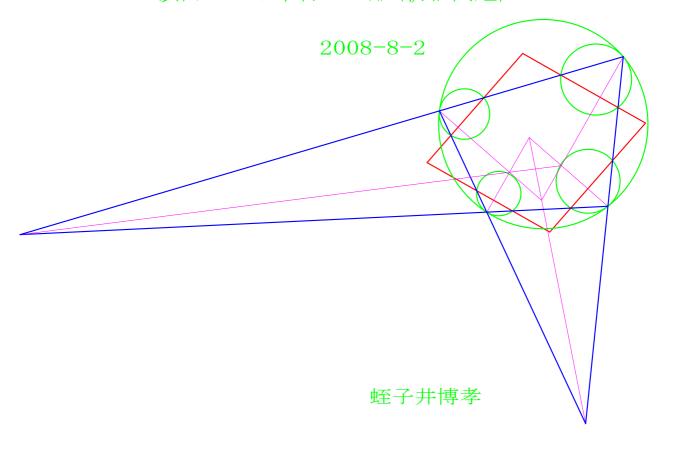
2008-8-2

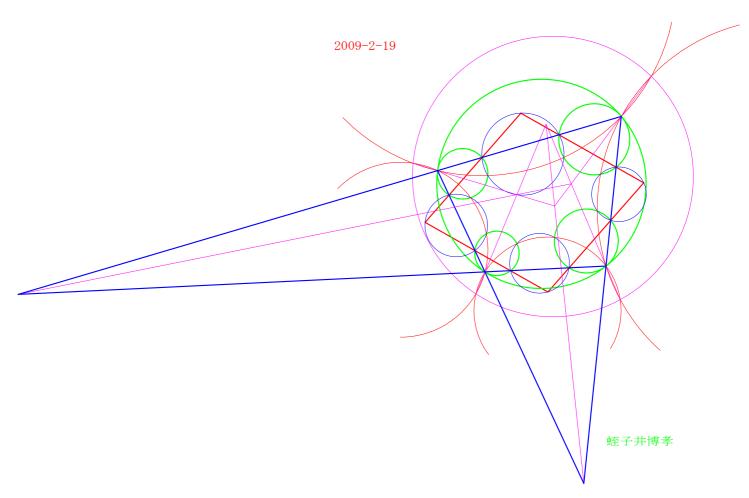


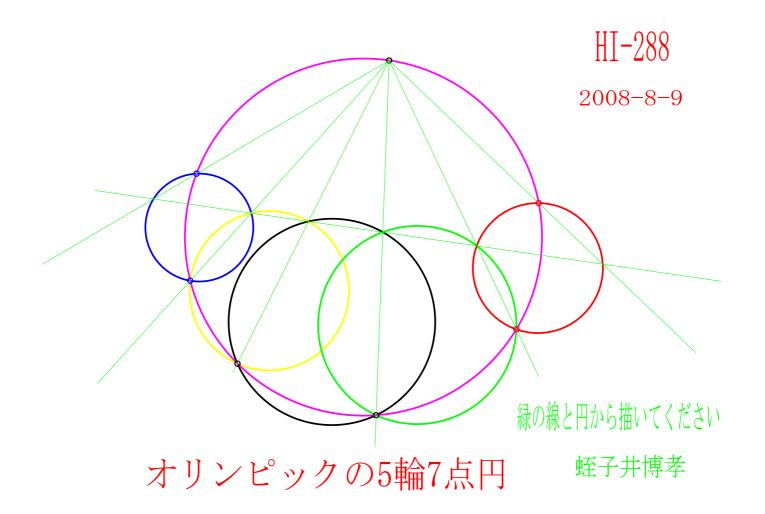


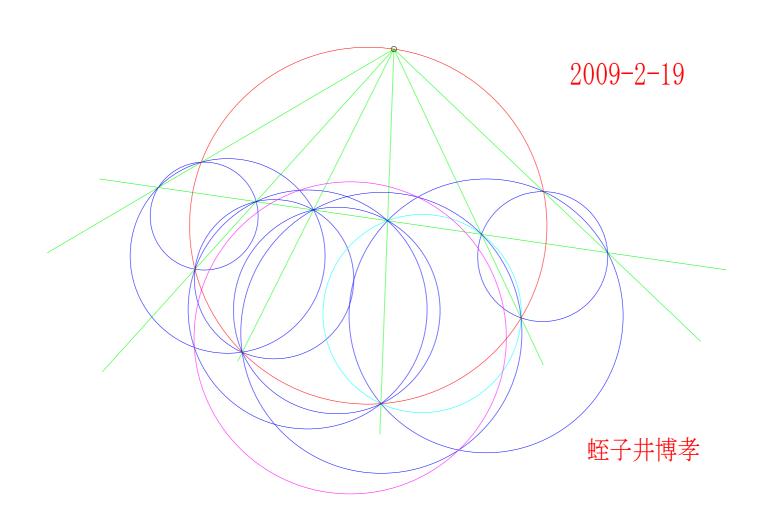
4接円による平行四辺形(初級問題)

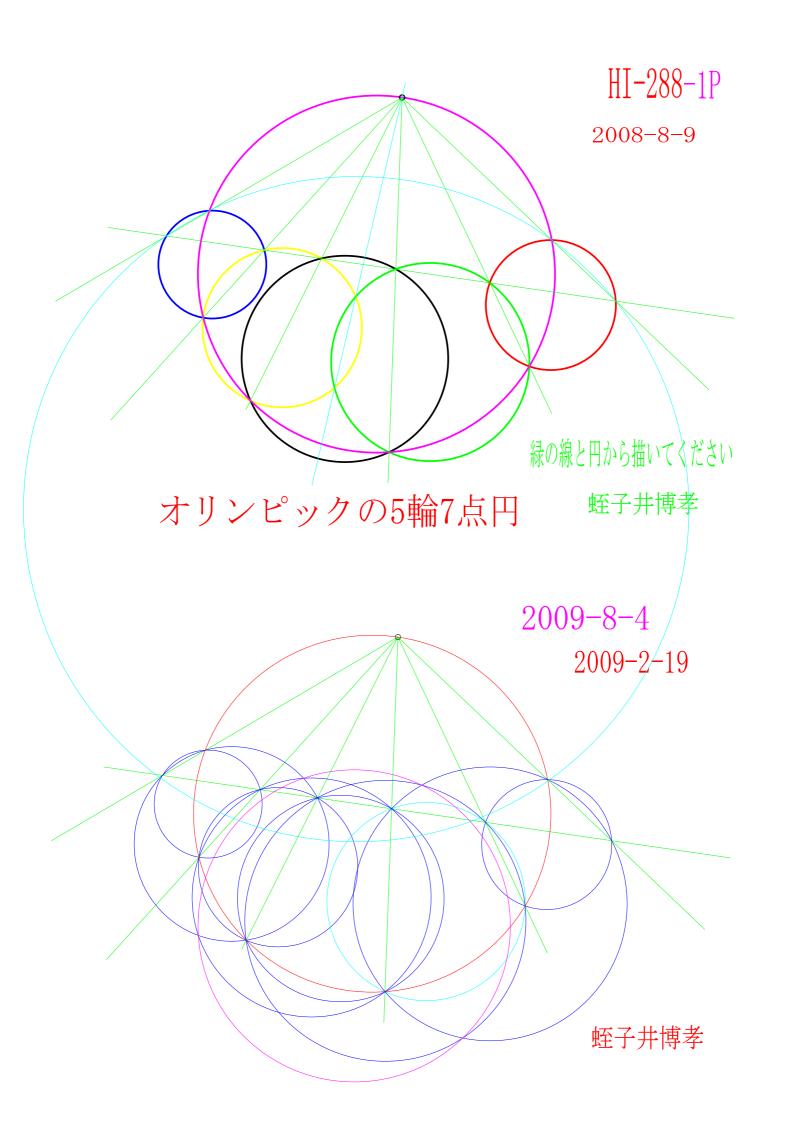
HI - 287 - 1N

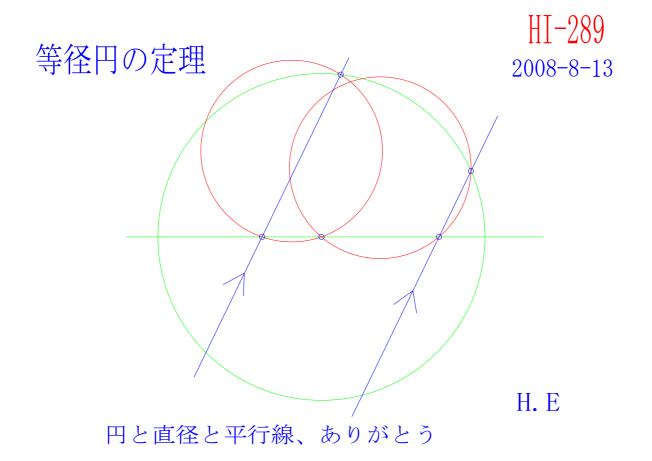


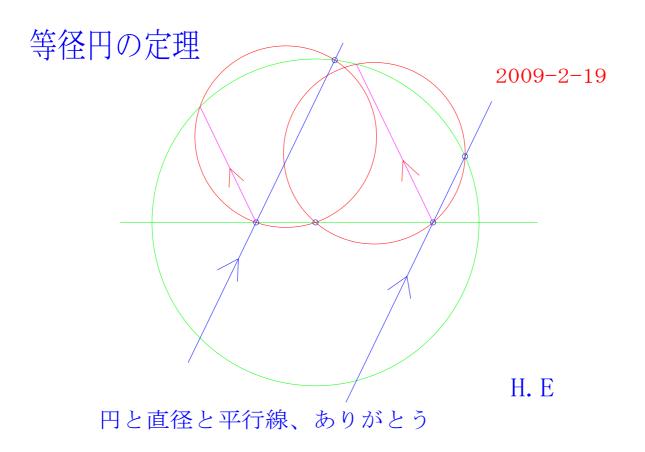


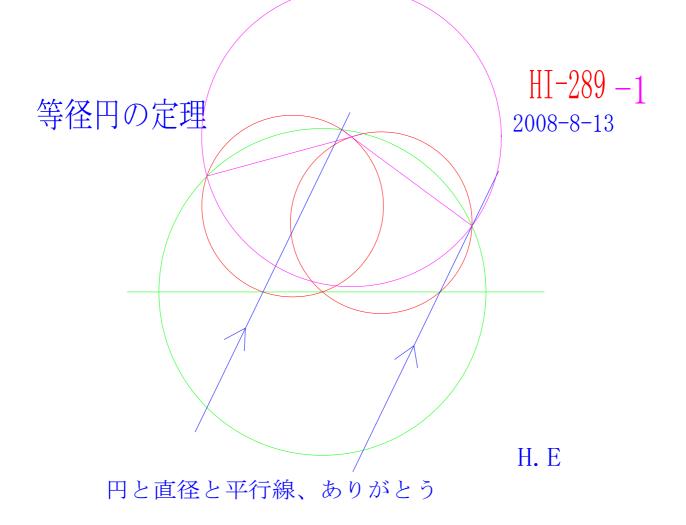


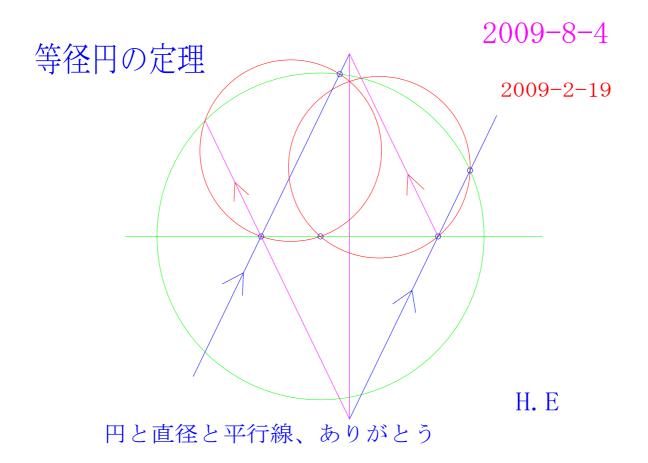






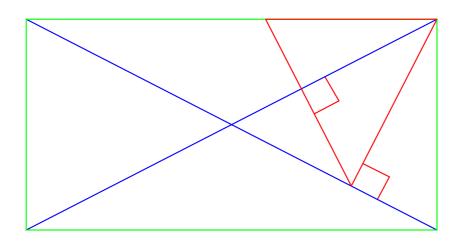




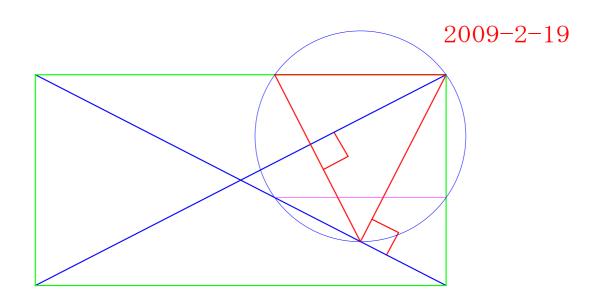


2等辺三角形

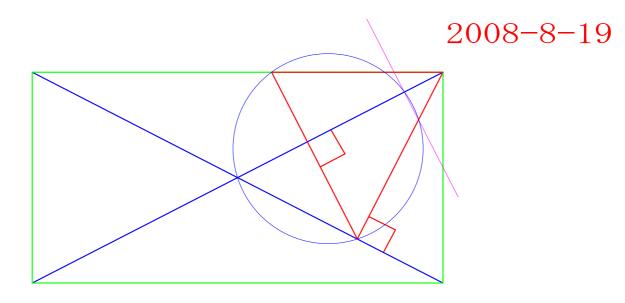
2008-8-19



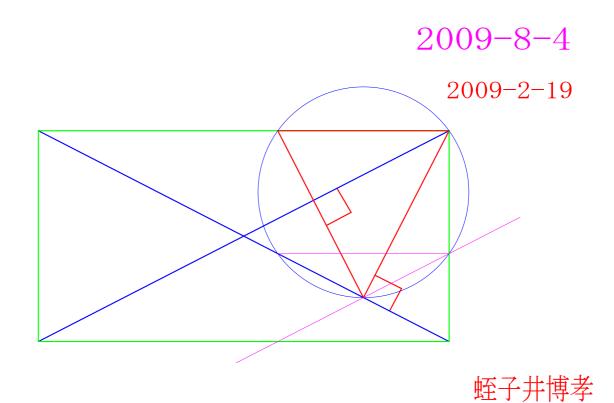
蛭子井博孝



2等辺三角形



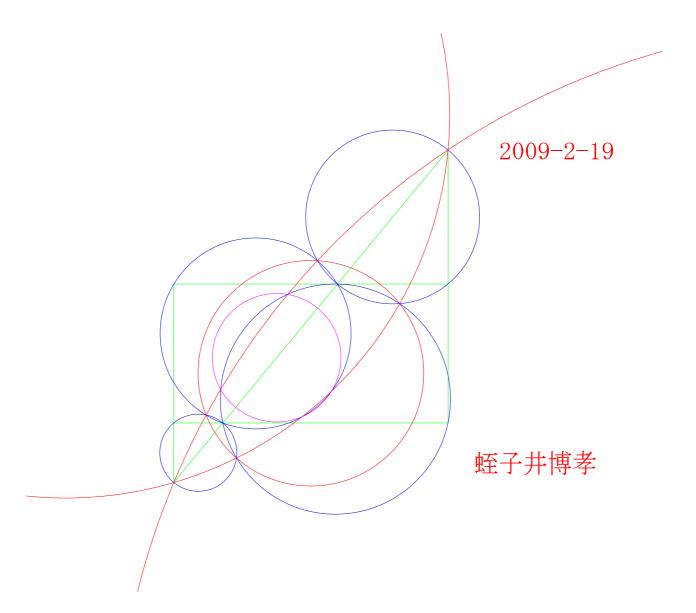
蛭子井博孝



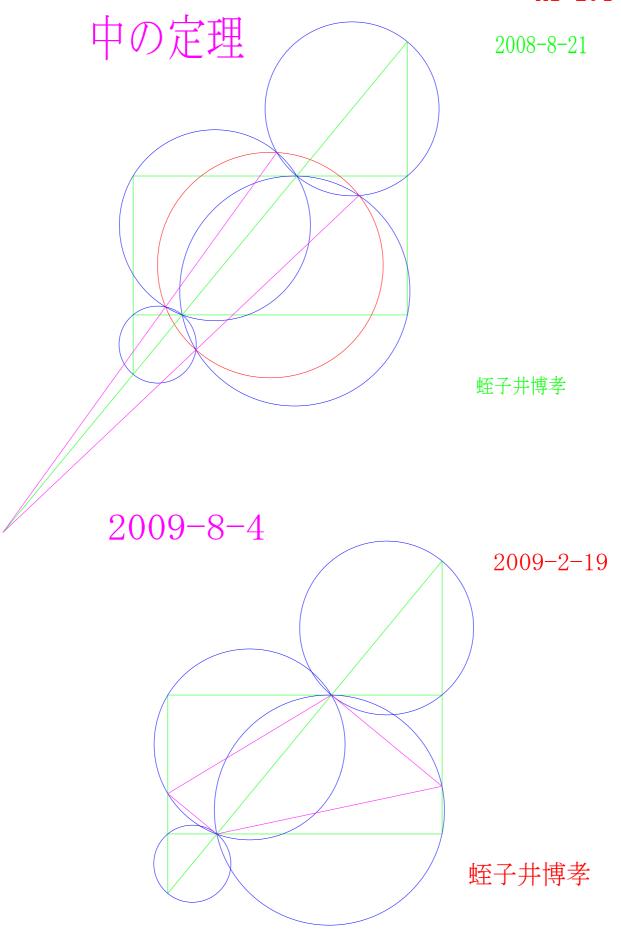
HI-291





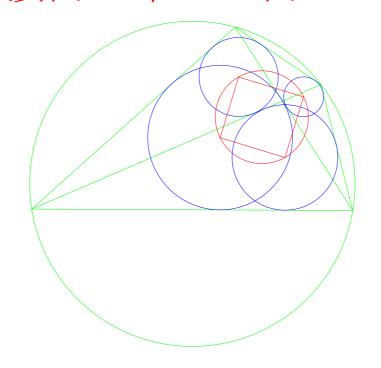


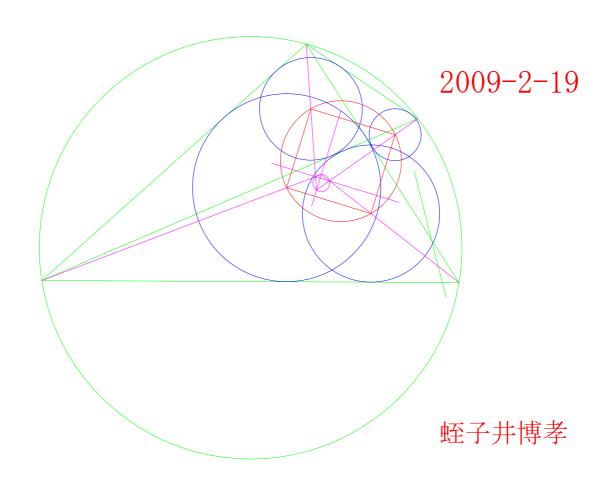
HI-291-1

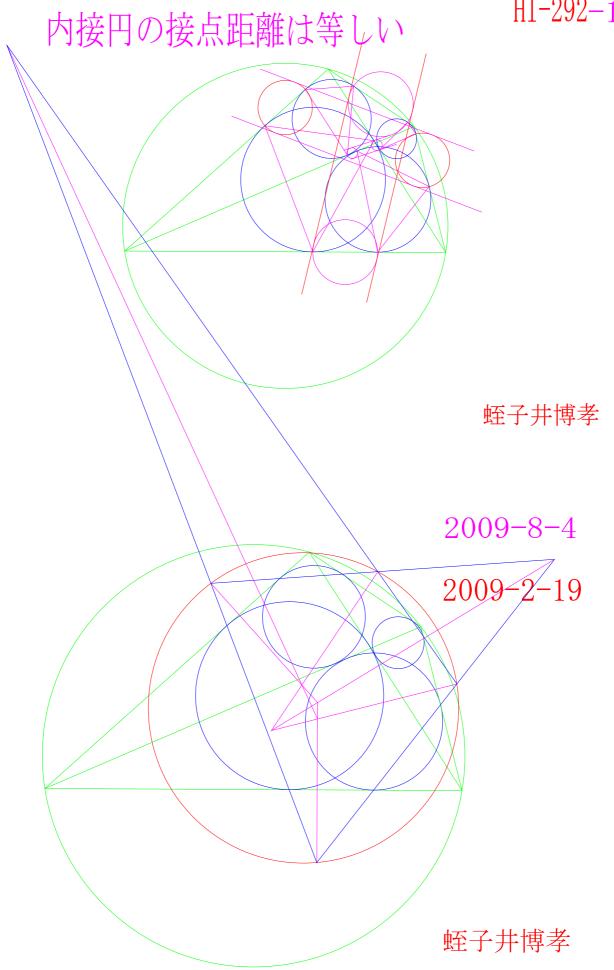


HI-292

内接円の中心の円

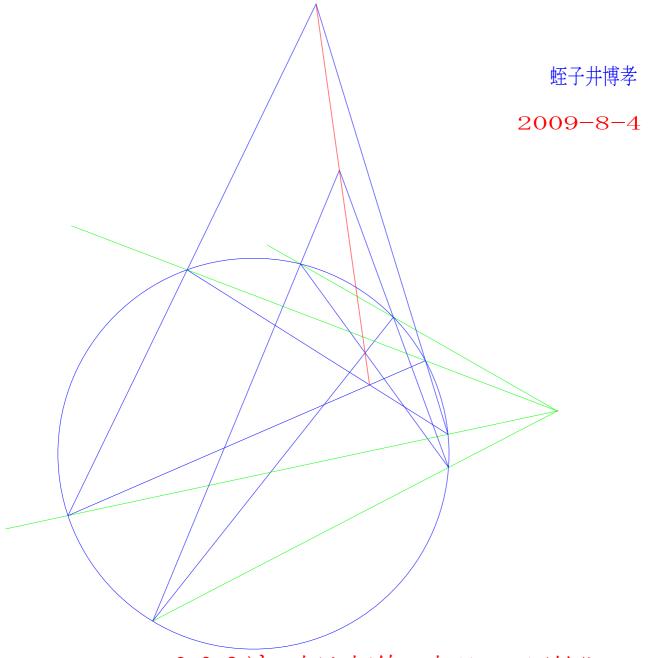




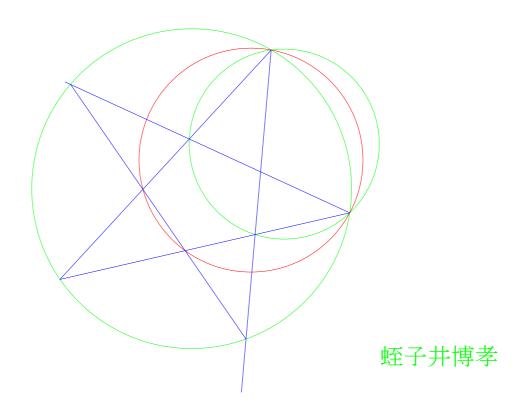


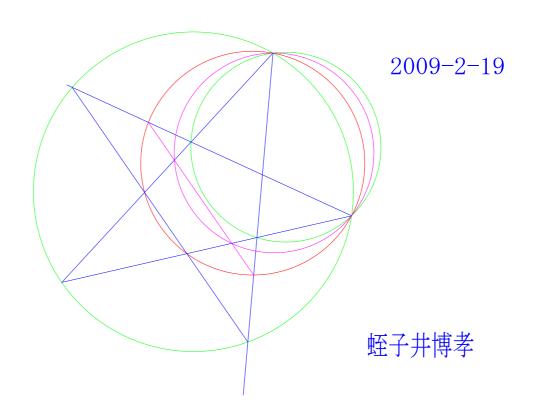
8-27 4平行線の共線定理 2008-8-27 蛭子井博孝 2009-2-19 蛭子井博孝

共点4直線と円の共線定理

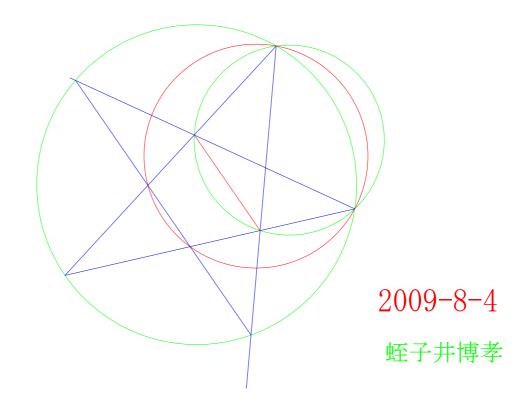


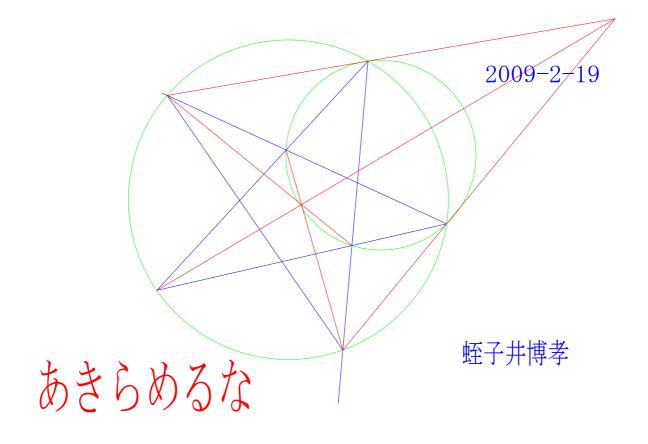
293は極と極線の定理の原始化 人々のヒット、ありがとう。女神さん





| HI-294-1 | 共円定理81 | 2008-8-28

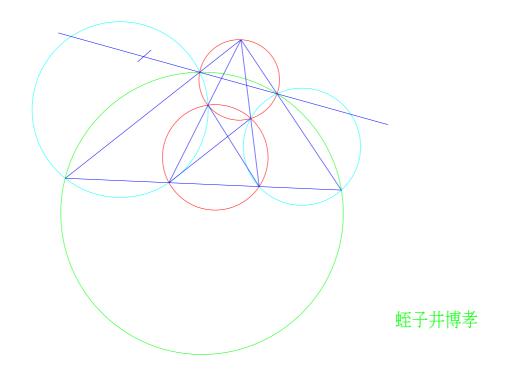


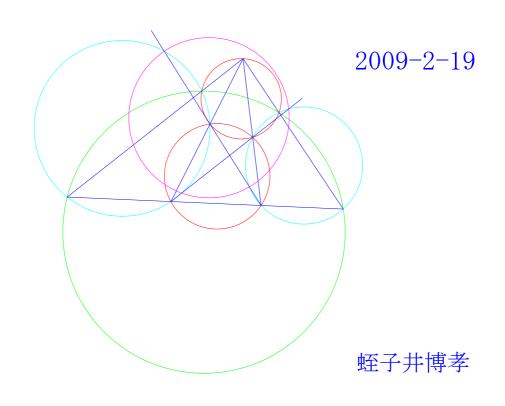


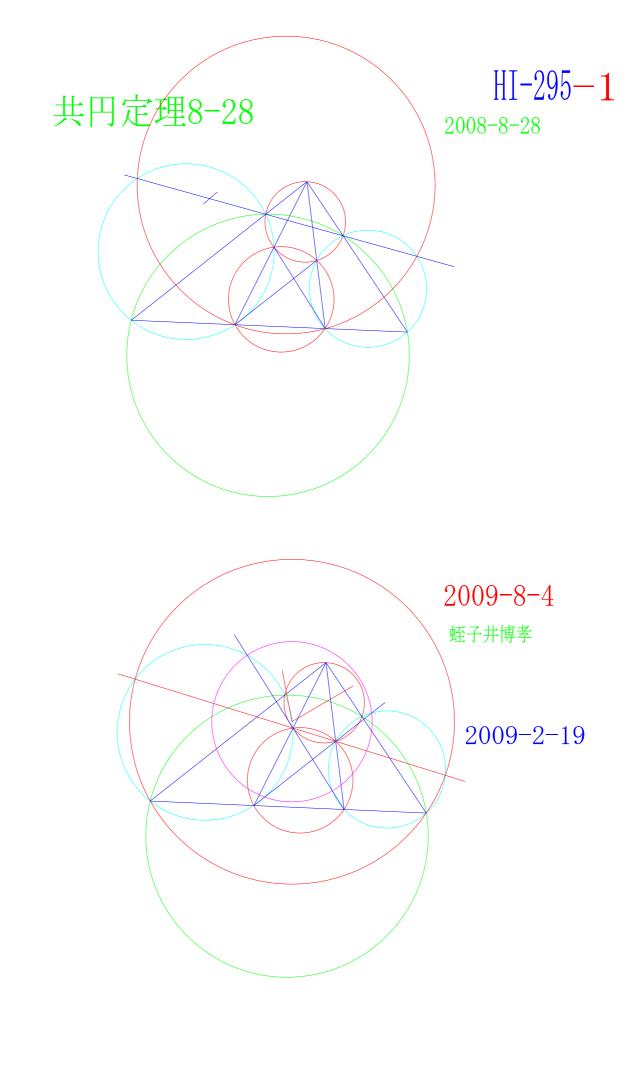
HI-295

共円定理8-28

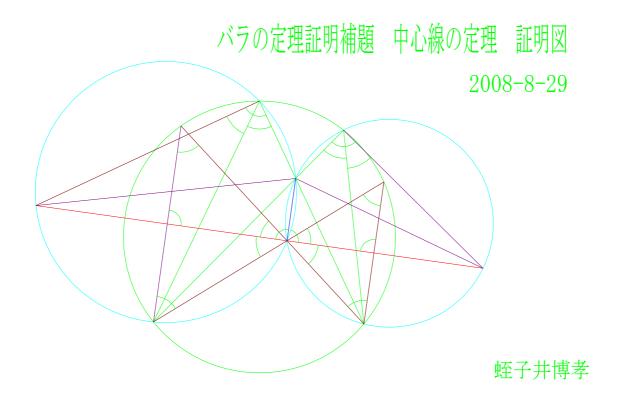
2008-8-28

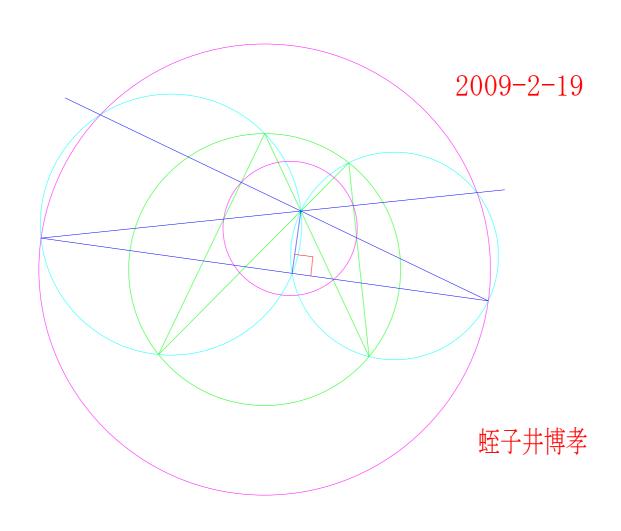




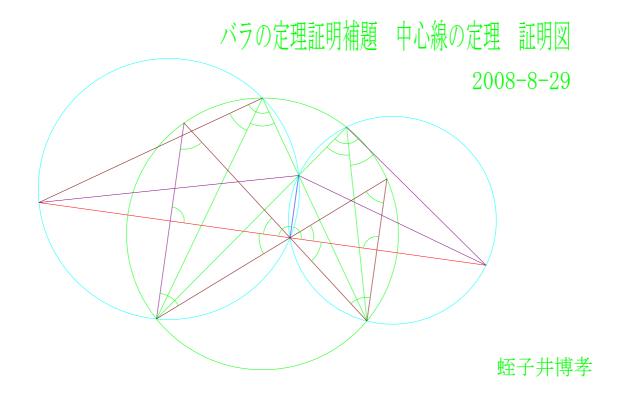


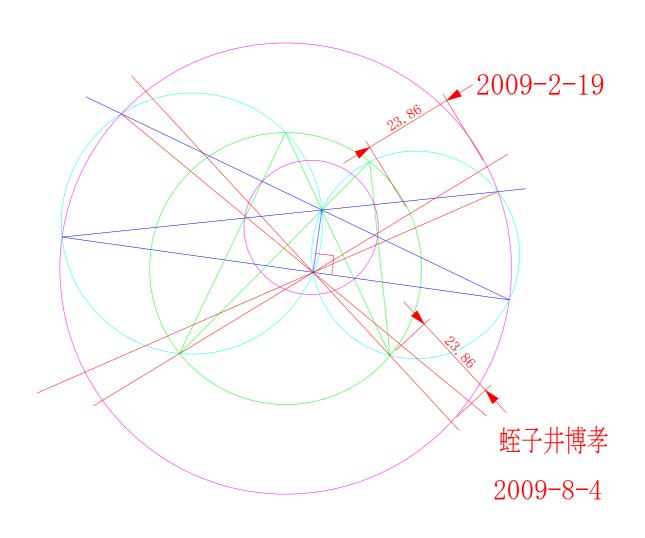
HI-296

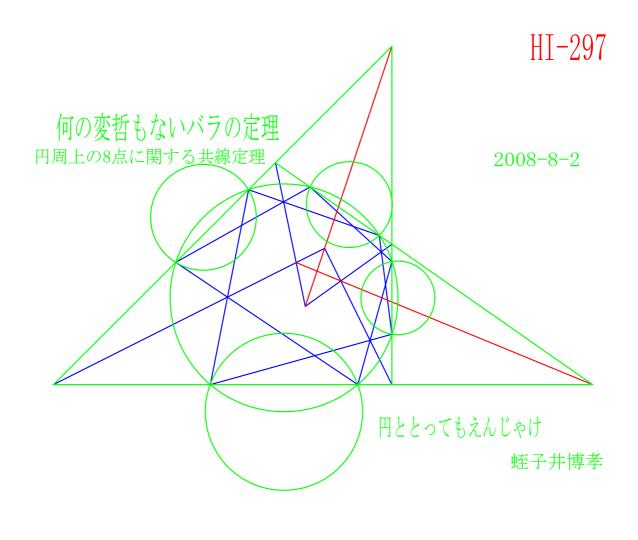


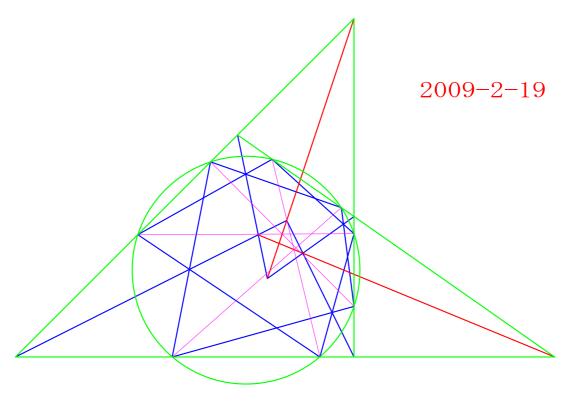


HI-296-1PX

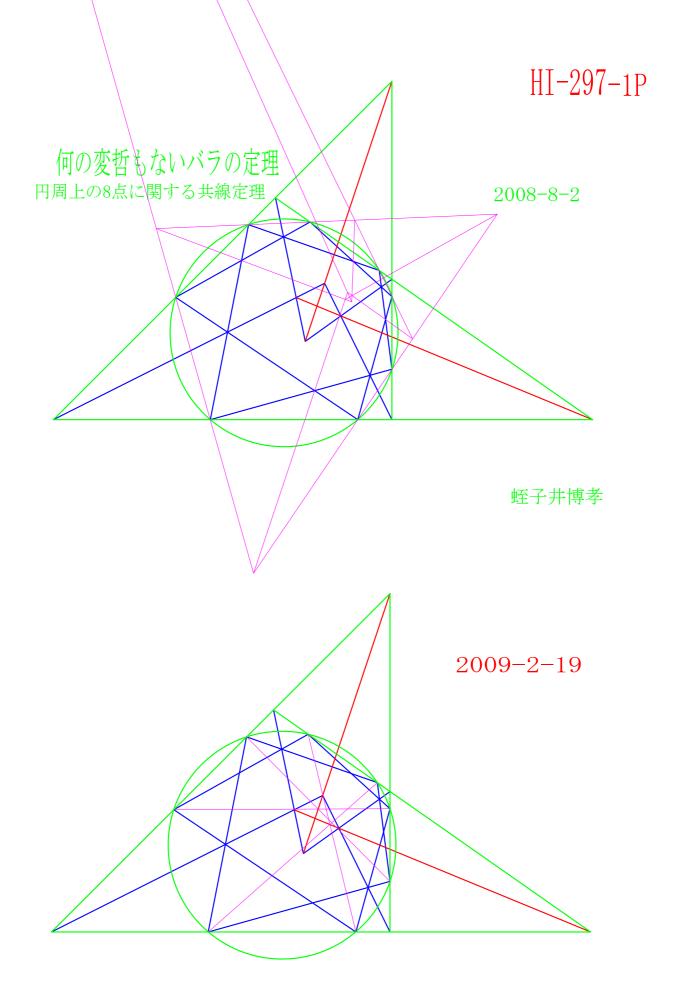








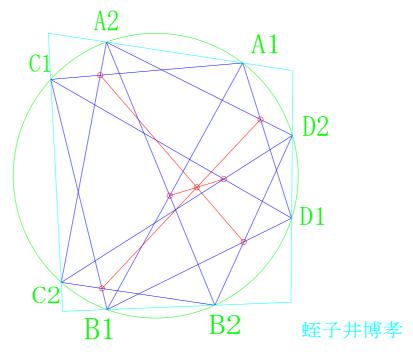
蛭子井博孝



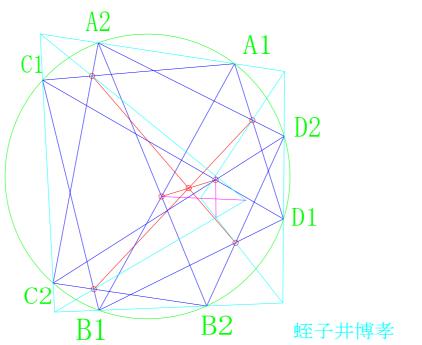
蛭子井博孝

Concurrent theorem of 8points on circle

2008-8-3



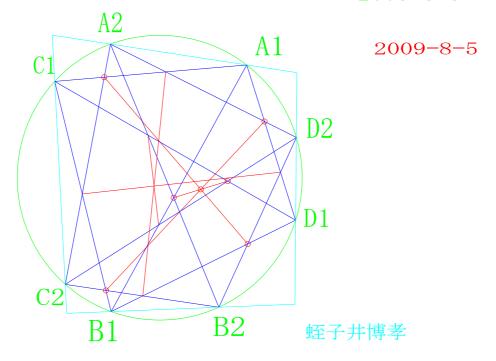


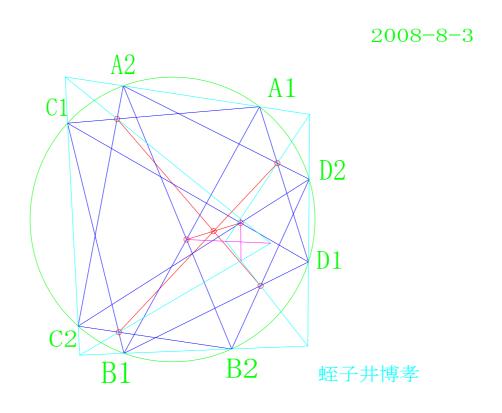


HI-298-1P

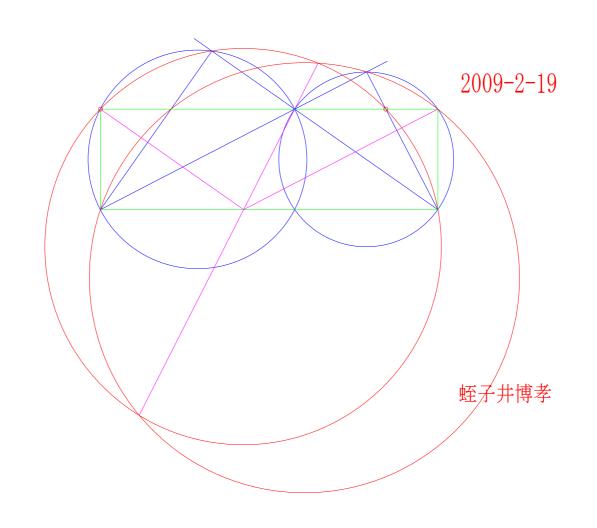
Concurrent theorem of 8points on circle

2008-8-3





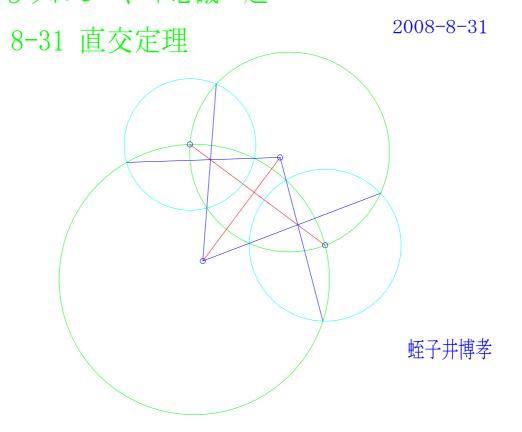
HI-299 アルパークで見つけた、共円定理 2008-9-16 蛭子井博孝



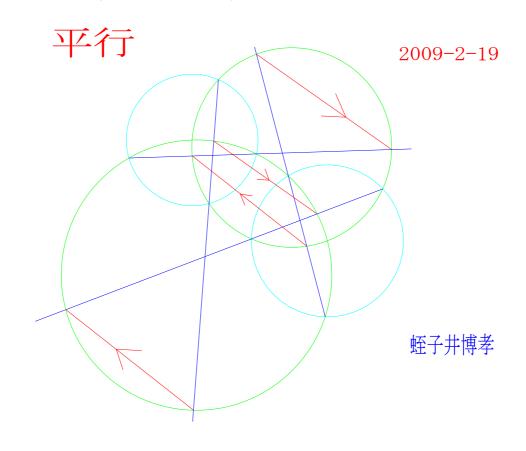
HI-299-1P アルパークで見つけた、共円定理 2008-9-16 蛭子井博孝 2009-2-19 蛭子井博孝

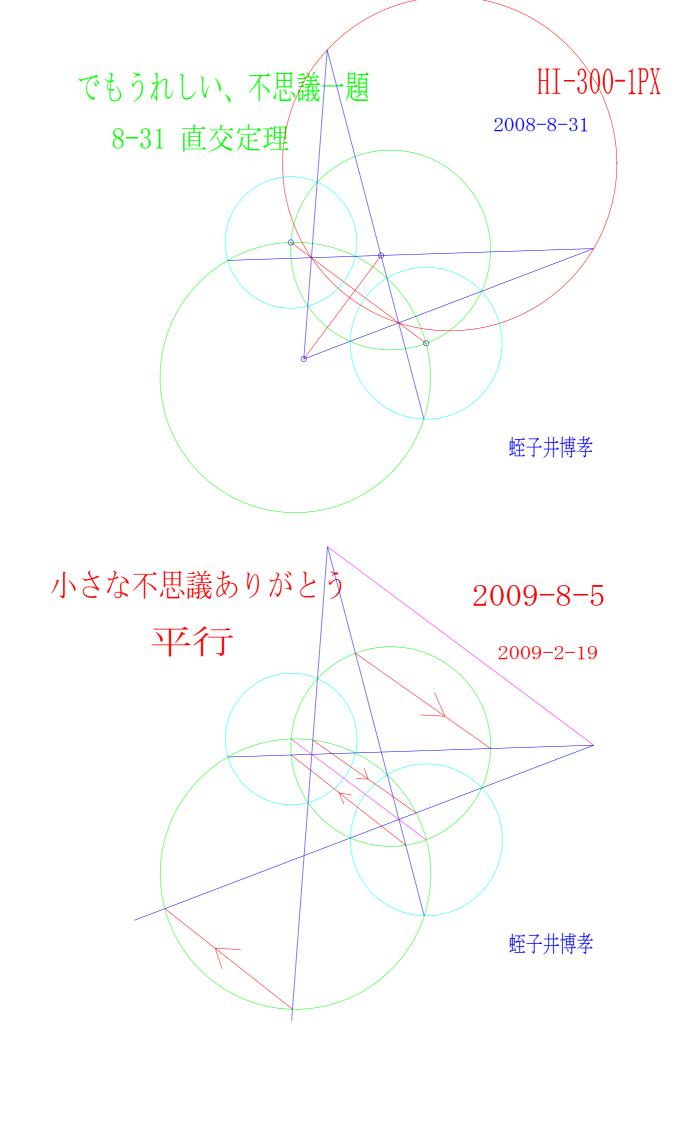
でもうれしい、不思議一題

HI-300



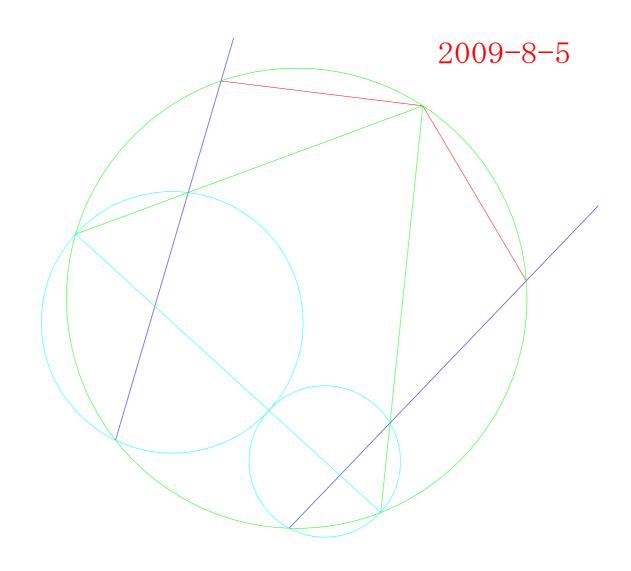
小さな不思議ありがとう





それも、それから

裏一題



補助水色円は水色線上で接している

あとがき (蛭子井博孝記)

それからシリーズ第三巻

それもそれから点線円幾何学

ありがたいことに、表表紙も、表一題も、裏一題も、

すぐにできた。

ただ、中の左100題を手本にした右100題は、

難航した。人生すべて無意味とさえ思う日があった。

でも、幾何の女神が、いてくれた。

そして、どうにかできあがった。

感謝に堪えない。

ありがとう。それもそれから点線円幾何学。

それもそれから点線円幾何学

発行 2009 年 8 月 7 日 著者 蛭子井博孝 発行者 蛭子井博孝 発行所 卵形線研究センター 740-0012 岩国市元町 4 丁目 12-10

+81-(0)827-22-3305

http://aitoyume.de-blog.jp/

hirotaka.ebisui@clear.ocn.ne.jp

ありがとう