## Experimental study on performance of view-based pose estimation

Toru Tamaki $\grave{j}$ нrosshma unvessiry
Hiroyuki Okugawa li hrossuma unversm Toshiyuki Amano NAIST Kazufumi Kaneda li meosmamy wivessir

## View-based pose estimation



Estimation

( 3
$\hat{\theta}$

## Learning relations

Learning set
$\square\left\{\theta_{j}, \boldsymbol{x}_{j}\right\}$
( $i=1,2, \ldots, n$ )
Relations
Nonlinear $\theta_{j}=f\left(\boldsymbol{x}_{j}\right)$
$\square$ Linear $\quad \theta_{j}=F \boldsymbol{x}_{j}$

## Estimation

Nonlinear $\theta=f(x)$
Linear $\quad \theta=F x$

Nonlinear methods
$\square$ Parametric
Eigenspace method

- (Murase, 1995)
$\square$ Kernels
(Melzer, 2003)
- (Ando, 2005)
$\square$ Manifold learning


## Learning relations

Learning set
$\square\left\{\theta_{j}, \boldsymbol{x}_{j}\right\}$

$$
(i=1,2, \ldots, n)
$$

Relations
$\square$ Nonlinear $\theta_{j}=f\left(\boldsymbol{x}_{j}\right)$
$\square$ Linear $\quad \theta_{j}=F \boldsymbol{x}_{j}$
Estimation
Nonlinear $\theta=f(x)$
Linear
$\theta=F x$

Linear methods
$\square$ Linear regression

- (Okatani, 2000)
$\square$ Cyclic permutation
- (Tamaki, 2007)
$\square E b C$
(Amano, 2006/2007)


## Overview of EbC

Learning phase

© EbC: "Estimation-byCompletion"

- Learn
$\square$ Image part $\boldsymbol{x}_{j}$
$\square$ Parameter part $\boldsymbol{p}_{j}$
$\square$ Compute Eigenspace
- Estimate pose
$\square$ A test image has no parameter part
$\square$ Completed as missing image area


## Questions to investigate

Performance depends on the number of learning images.
$\square$ Few images: bad estimation
$\square$ Many images: better performance
Is it really? How many images are enough?


## Questions to investigate

Performance depends on the number of learning images.
What is an appropriate set of images when we fix the number of images?
$\square$ Any set is enough?


## Learning image set

Definition of a learning set :

$$
\begin{aligned}
S_{i, s}= & \left\{\boldsymbol{x}_{i k+s}\right\} \\
& \boldsymbol{x}_{\theta}: \text { images at } \theta
\end{aligned}
$$

$i$ : sample span [deg]
$s$ : start angle [deg]

$$
\begin{array}{r}
k=0,1, \ldots, n_{i-}-1 \\
n_{i}=360 / i
\end{array}
$$

Example :


## Performance evaluation

Root mean square error (RMSE):

$$
\begin{array}{r}
R M S E_{i, s}=\sqrt{\frac{1}{72-n_{i}} \sum_{x_{j} \notin S_{i, s}}\left(\hat{\theta}_{j}-\theta_{j}\right)^{2}} \quad \begin{array}{l}
\theta: \text { true angle } \\
\hat{\theta}: \text { estimated angle }
\end{array} \\
\text { Exclude learned images }
\end{array}
$$

sample spans:

$$
\begin{array}{r}
i=5,10,15,20,30,40,45,60,90,120 \\
\text { (divisors of } 360 \text { [deg]) }
\end{array}
$$

## Experimental results 1: moderate case



## Experimental results 2: performance dip at 40 deg.



## Examples of learning sets




Worst !
$S_{30,0} 12$ images


## Objects that have performance dip at 40 deg.

Object Object Object Object Object Object

| 5 | 6 | 9 | 11 | 14 | 19 |
| :--- | :--- | :--- | :--- | :--- | :--- |



What property affect the performance?
$\square$ Future work....

## Experimental results 3: keeping good performance



## Objects that keep good performance

COIL-20 Object 15

$S_{120,0}$


Round shape may affect the performance
Also future work...

COIL-20 Object 12


## Conclusions

Performance evaluation of EbC
$\square$ a view-based pose estimation
Experimental results:
$\square$ Some objects have the performance dip
$\square$ Some objects keep good performance
Future work
$\square$ To investigate the relationship between performance and object shape

